#### 1 5 IMPLEMENTATION OF DISPOSITION SURVEYS

#### 2 **5.1 Introduction**

- 3 This chapter discusses the implementation phase of the Data Life Cycle and focuses on
- 4 controlling measurement uncertainty. The information in this chapter describes approaches for
- 5 safely implementing the final disposition survey design developed in Chapter 4, methods for
- 6 controlling uncertainty, and techniques to determine whether the measurement results achieve
- 7 the survey objectives.
- 8 Similar to MARSSIM, MARSAME excludes specific recommendations for implementing
- 9 disposition surveys. Instead, MARSAME provides generic recommendations and information to
- assist the user in selecting measurement techniques for implementing the survey design. This
- approach encourages consideration of innovative measurement techniques and emphasizes the
- 12 flexibility of the information in MARSAME.
- 13 Implementation begins with health and safety considerations for the disposition survey (Section
- 14 5.2). Section 5.3 provides information on handling M&E, while Section 5.4 discusses
- segregating M&E based on physical and radiological attributes. Section 5.5 continues the
- discussion of measurement quality objectives (MQOs) from Chapters 3 and 4. Measurement
- uncertainty (Section 5.6), detectability (Section 5.7), and quantifiability (Section 5.8), are three
- MQOs that are described in greater detail. Combining an instrument with a measurement
- technique to ensure the MQOs are achieved is discussed in Section 5.9. Section 5.10 provides
- 20 information on quality control (QC), and information on data reporting is provided in
- 21 Section 5.11.

# 22 **5.2** Ensure Protection of Health and Safety

- Health and safety is emphasized as an issue potentially affecting the implementation of
- 24 MARSAME disposition surveys. The focus of minimizing hazards is shifted away from
- environmental hazards (e.g., confined spaces, unstable surfaces, heat and cold stress) and tailored
- 26 towards scenarios where health and safety issues may affect how a disposition survey is designed
- and performed. Work areas and procedures that present potential safety hazards must be

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- 28 identified and evaluated to warn personnel of potential hazards. Personnel must be trained with
- 29 regards to potential physical and chemical safety hazards (e.g., inhalation, adsorption, ingestion,
- and injection/puncturing) and the potential for injury (slips, trips, falls, burns, etc.).
- A job safety analysis (JSA) should be performed prior to implementing a disposition survey.
- 32 The JSA offers an organized approach to the task of locating problem areas for material handling
- 33 safety (OSHA 2002). The JSA should be used to identify hazards and provide inputs for drafting
- a health and safety plan (HASP). The HASP will address the potential hazards associated with
- 35 M&E handling and movement and should be prepared concurrently with the survey design. The
- 36 HASP identifies methods to minimize the threats posed by the potential hazards. The
- information in the HASP may influence the selection of a measurement technique and
- disposition survey procedures. Radiation work permits (RWPs) may be established to control
- 39 access to radiologically controlled areas. RWPs contain requirements from the JSA such as
- 40 dosimetry and personal protective equipment (PPE), as well as survey maps illustrating predicted
- dose rates and related radiological concerns (e.g., removable or airborne radioactivity). Hazard
- work permits (HWPs) may be used in place of RWPs at sites with primarily physical or chemical
- hazards. The Case Study presented in Chapter 7 (see Section 7.3.6.1) provides an example of a
- 44 JSA.
- 45 The JSA systematically carries out the basic strategy of accident prevention through the
- recognition, evaluation, and control of hazards associated with a given job as well as the
- determination of the safest, most efficient method of performing that job. This process creates a
- 48 framework for deciding between engineering controls, administrative controls, and PPE for the
- 49 purpose of controlling or correcting unsafe conditions (Hatch 1978). Examples of these controls
- 50 include:
- Engineering controls physical changes in processes or machinery (e.g., installing guards
- 52 to restrict access to moving parts during operation), storage configuration (e.g., using
- shelves in place of piles or stacks).
- Administrative controls changes in work practices and organization (e.g., restricted
- areas where it is not safe to eat, drink, smoke, etc.) including the placement of signs to
- warn personnel of hazards.

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- Personal protective equipment (PPE) clothing or devices worn by employees to protect against hazards (e.g., gloves, respirator, full-body suits, etc.).
- 59 Correction measures may incorporate principles of all of the controls listed above. The preferred
- 60 method of control is through engineering controls, followed by administrative controls, and then
- 61 personal protective equipment.
- Proper handling procedures for hazardous M&E are documented in site-specific health and
- safety plans. Compliance with all control requirements is mandatory to maintain a safe working
- environment. Personnel must regard control requirements as a framework to facilitate health and
- safety, while still taking responsibility for their own well being. Being wary of safety hazards
- remains an individual responsibility, and personnel must be aware of their surroundings at all
- 67 times in work areas.

# 5.3 Consider Issues for Handling M&E

- Materials and equipment handling is addressed in this document as a process control issue.
- 70 M&E handling requirements are determined by the final integrated survey design (see Section
- 71 4.4) and the combination of instrumentation and measurement technique used to perform the
- 72 survey (see Section 5.9). M&E may also require handling to more closely match the
- assumptions used to develop instrument calibrations used to determine measurement uncertainty
- (see Section 5.6), measurement detectability (see Section 5.7), and measurement quantifiability
- 75 (see Section 5.8).
- 76 Typically, M&E will be handled to:
- Prepare a measurement grid or arrange M&E to perform a survey.
- Provide access for performing measurements.
- Transport the M&E to a different location.

#### 80 5.3.1 Prepare M&E for Survey

- Depending on the survey design, or assumptions used to develop the survey design, it may be
- 82 necessary to prepare the M&E for survey. The amount of preparation required is determined by

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- the DQOs and MQOs, and ranges from identifying measurement locations to adjusting the
- physical characteristics of the M&E (e.g., disassembly, segregation, physical arrangement).
- 85 The performance of a MARSSIM-type survey requires determining the location where the
- 86 measurements are to be performed. The DQOs will determine the level of effort required to
- 87 identify, mark, and record measurement locations.
- 88 Identifying measurement locations can be problematic because MARSSIM-type surveys
- 89 recommend samples to be located either randomly (Class 3) or on a systematic grid (Class 1 and
- Class 2). Class 2 and Class 3 scan-only and in situ surveys do not require 100% of the M&E to
- be measured, so a method of identifying which portions will be measured is required.
- 92 Bulk materials or M&E consisting of many small, regularly shaped objects can be spread out in a
- 93 uniform layer, and a two-dimensional grid can be superimposed on the surface to identify
- 94 measurement locations. However, it is virtually impossible to identify random or systematic
- locations on M&E that consist of relatively few, large, irregularly shaped objects. The reason is
- that it is virtually impossible to establish a reference grid for these M&E. It is important to note
- 97 that the objective for random locations is to allow every portion of the survey unit the same
- 98 opportunity to be measured. Alternatively, the objective of systematic locations is to distribute
- 99 the measurement locations equally. It is only necessary to establish a reference grid to
- sufficiently identify the measurement locations to meet the survey objectives.
- One way to approximate a reference grid for locating measurements is to establish a grid in the
- area where the survey will be performed. The M&E to be surveyed are laid out in a single layer
- within the grid. The grid can then be used to identify measurement locations. Another option
- 104 for locating measurements involves superimposing a grid on top of the M&E. A net could be
- laid over the M&E to be surveyed, ropes could be laid over the M&E to form a grid, or lights on
- a grid could be directed onto the M&E to approximate a grid and identify measurement
- locations.
- 108 If measurement locations cannot be identified with a grid, there may be no alternative but to
- perform biased measurements. Measurements would be preferentially performed in locations
- more likely to contain radionuclides or radioactivity, based on the results of the IA (see Section
- 111 2.5). This process involves professional judgment and may result in overestimating the average

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113 criteria used for identifying measurement locations and to document that these criteria were 114 followed. 115 Marking measurement locations, once they have been identified, should be done in a way that 116 will not interfere with the measurement. For example, using paint to mark the location of an 117 alpha measurement could end up masking the presence of alpha activity. Using arrows, marking 118 borders, or using an alternate method for marking locations (e.g., encircling with chalk) should 119 be considered for these types of situations. 120 Recording measurement locations may be required as part of the survey objectives if the 121 measurements may need to be repeated. For example, a large piece of equipment is surveyed 122 prior to use on a decommissioning or cleanup project. If the exact same locations will be 123 surveyed at the completion of the project, it will be necessary to record the measurement 124 locations. Permanent or semi-permanent markings can be used to identify the measurement 125 locations. Video or photographic records of measurement locations can also be used to return to 126 a specific measurement location. 127 **5.3.2** Provide Access 128 Large pieces of equipment may require special handling considerations. Large, mobile 129 equipment (e.g., front loader, bulldozer, or crane) typically requires a specially trained operator. 130 The operator may need to be available during the disposition survey to provide access to all areas 131 requiring survey (e.g., move the equipment to provide access to the bottom of tires or treads). 132 Other large items may require special equipment (e.g., a crane or lift) to provide access to all 133 areas requiring survey. Special health and safety issues (Section 5.2) may be required to ensure 134 protection of survey personnel from physical hazards (e.g., personnel or items falling from 135 heights, or large items dropping on personnel or equipment). It may be necessary to partially or 136 totally disassemble large pieces of equipment to provide access and ensure measurability. 137 Piles of M&E may involve special handling precautions. Piles of dispersible M&E (e.g., soil or 138 concrete rubble) may need to be rearranged to match the assumptions used to develop the 139 instrument efficiency. For example, a conical pile of soil may need to be flattened to a uniform 140 thickness to ensure measurability. If the M&E consists of or contains a significant amount of

radionuclide concentration or level of radioactivity. In all cases, it is important to document the

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141	dust, precautions against generating an airborne radiation hazard may be necessary. Since many
142	dust control systems use liquids to prevent the dust from becoming airborne, it may be necessary
143	to account for dust control impacts on measurability of the M&E. For example, adding water to
144	control dust will make it more difficult to measure alpha radioactivity. Piles of scrap may also
145	present other health and safety concerns along with issues related to measurability. Sharp edges,
146	pinch points, and unstable piles are examples of handling problems that may need to be
147	addressed.
148	Small pieces of M&E may be surveyed individually or combined into groups for survey. Care
149	should be taken when combining items to prevent mixing impacted and non-impacted items, or
150	mixing items with different physical or radiological attributes (see Section 2.2 and Section 5.4).
151	The moving of materials at a given site may require labeling as a quality control measure to
152	ensure M&E movement is tracked and documented. Labeling will help avoid the commingling
153	of impacted and non-impacted materials, and facilitate the staging and storage of impacted and
154	non-impacted M&E in appropriate areas.
155	5.3.3 Transport the M&E
156	Identification of impacted and non-impacted areas within a facility will assist in selecting areas
157	for storing, staging, and surveying impacted M&E. In general, impacted M&E should be stored,
158	staged, and surveyed in impacted areas. Care should be taken when moving or handling
159	impacted M&E to prevent the spread of radionuclides to non-impacted areas. M&E in areas with
160	airborne radioactivity issues should be moved to protect the personnel conducting surveys and
161	reduce the possibility of contaminating survey instruments.
162	Disposition surveys can be performed with the M&E in place, or the M&E can be moved to
163	another location. For example, work areas with high levels of radioactivity may make it difficult
164	or resource intensive to meet the MQOs for measurement detectability (Section 5.7) or
165	quantifiability (Section 5.8). Moving the M&E to areas with lower levels of radioactivity will
166	help reduce radiation exposure for personnel conducting surveys and facilitate meeting the

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survey objectives.

### 5.4 Segregate the M&E

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169 The purpose of segregation is to separate M&E based on the estimated total measurement 170 uncertainty, ease of handling, and disposition options. Segregation is based on the physical and 171 radiological attributes determined during the Initial Assessment (IA, see Chapter 2), not only on 172 radionuclide concentrations or radiation levels (i.e., classification). 173 In general, segregation based on measurement uncertainty should consider the physical and 174 radiological attributes that affect efficiency (i.e., geometry and fluence rate). M&E with simple 175 geometries, such as drums (cylinder) and flat surfaces (plane), should be separated from M&E 176 with complex geometries. Fluence rate is affected by location of the radioactivity (i.e., surficial 177 or volumetric) as well as surface effects (e.g., rough or smooth), density of the M&E, and type 178 and energy of radiation. High fluence rates are associated with surface radioactivity with high 179 energy on flat smooth surfaces made from materials with high atomic number (due to increased 180 backscatter). Volumetric activity, shielded surfaces, alpha or low energy or beta radiations, irregular shapes, or rough surfaces can cause lower fluence rates. All of these factors should be 181 182 considered when segregating M&E. 183 Segregation of M&E should be performed conservatively. This means that the user should 184 separate M&E when they are not obviously similar. It is always possible to combine M&E but it 185 is not always practical or possible, to separate M&E once they have been combined. For 186 example, consider a facility where all the waste materials (e.g., paper, wood, metal, broken 187 equipment) are combined into a single "trash pile." When the planning team considers different 188 measurement methods and disposition options, they identify an innovative measurement method 189 that only applies to non-ferrous scrap metal. This would allow for recycling of these materials 190 with significant cost recovery as opposed to disposal. If the cost of re-segregating the M&E is 191 not offset by the value of recycling these materials, it may not be practical to segregate the non-192 ferrous metals. 193 It is important to note that segregation does not require physical separation. Consider a generic 194 large box geometry, such as an empty shipping container or railroad car. The large, flat sides 195 could be considered separate survey units from the corners. Therefore, separate surveys would 196 be designed for the corners and the sides even though the entire railroad car would remain intact

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197 throughout implementation of the disposition survey. Alternatively (or additionally), obvious 198 flaws, corrosion areas, or damaged areas could be segregated from the areas in good condition. 199 Even if the entire object is eventually surveyed using a single in situ measurement (e.g., in situ 200 gamma spectrometry) it is important to segregate the M&E (at least conceptually) so an adequate 201 evaluation of alternate measurement methods can be performed (see Section 5.9). 202 Handling of M&E during disposition surveys should also be considered during segregation (see 203 Section 5.3). Physical characteristics of the M&E should be considered when segregating based 204 on handling requirements. Small, light items are easier to move and gain access to all surfaces 205 than large, massive items. M&E that will require preparation (e.g., disassembly, crushing, 206 chopping) prior to survey should be segregated from M&E that can be surveyed in their present 207 form. Disposition options should also be considered when segregating M&E. M&E that can be 208 reused or recycled should be segregated from M&E that is being considered for disposal. 209 Selection of disposition options was discussed in Section 2.4. 210 5.5 Set Measurement Quality Objectives 211 A number of terms with specific statistical meanings are used in this and subsequent sections. 212 These terms are defined in Appendix G. The concept of Measurement Quality Objectives 213 (MQOs) and in particular the required measurement method uncertainty was introduced in 214 Section 3.8. These ideas are discussed in greater detail in the Multi-Agency Radiological 215 Laboratory Analytical Protocols Manual (MARLAP 2004) Chapter 3 and Appendix C. While 216 MARLAP is focused on radioanalytical procedures, these concepts are applicable on a much 217 broader scale and will be used in MARSAME to guide the selection of measurement methods for 218 disposition surveys for materials and equipment. 219 Section 4.2 discussed the DQO process for developing statistical hypothesis tests for the 220 implementation of disposition decision rules using measurement data. This included formulating 221 the null and alternative hypotheses, defining the gray region using the action level and 222 discrimination limit, and setting the desired limits on potential Type I and Type II decision error 223 probabilities that a decision maker is willing to accept for project results. Decision errors are 224 possible, at least in part, because measurement results have uncertainties. The effect of these

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uncertainties is expressed in the size of the relative shift,  $\Delta/\sigma$ , introduced in Section 4.2.2. The

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- overall uncertainty,  $\sigma$ , has components that may be due to spatial variability in radioactivity concentration,  $\sigma_S$ , but also because of uncertainty in the measurement method  $\sigma_M$ . Because DQOs apply to both sampling and measurement activities, what are needed from a measurement perspective are method performance characteristics specifically for the measurement process of a particular project. These method performance characteristics (see Section 3.8) are the measurement quality objectives (MQOs).
- DQOs define the performance criteria that limit the probabilities of making decision errors by:
- Considering the purpose of collecting the data
- Defining the appropriate type of data needed
- Specifying tolerable probabilities of making decision errors
- DQOs apply to both sampling and measurement activities.
- 237 MQOs can be viewed as the measurement portion of the overall project DQOs (see Section 3.8).
- MQOs are:

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- the part of the project DQOs that apply to the measured result and its associated uncertainty.
  - statements of measurement performance objectives or requirements for a particular measurement method performance characteristic, for example, measurement method uncertainty and detection capability.
- used initially for the selection and evaluation of measurement methods.
- are subsequently used for the ongoing and final evaluation of the measurement data.
- Measurement method uncertainty refers to the <u>predicted</u> uncertainty of a measured value that would be calculated if the method were applied to a hypothetical sample with a specified concentration. Measurement method uncertainty is a characteristic of the measurement method and the measurement process. Measurement uncertainty, as opposed to spatial uncertainty, is a

250 characteristic of an individual measurement.

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251	The true measurement method standard deviation, $\sigma_{\scriptscriptstyle M}$ , is a theoretical quantity and is never		
252	known exactly, but it may be estimated using the methods described in Section 5.6. The estimate		
253	of $\sigma_{\scriptscriptstyle M}$ will be denoted here by $u_{\scriptscriptstyle M}$ and called the "measurement method uncertainty." The		
254	measurement method uncertainty, when estimated by uncertainty propagation, is the predicted		
255	value of the combined standard uncertainty ("one-sigma" uncertainty) of the measurement for		
256	material with concentration equal to the UBGR. Note that the term "measurement method		
257	uncertainty" and the symbol $u_M$ actually apply not just to the measurement method but also to the		
258	entire measurement process, that is, it should include uncertainties in how the measurement		
259	method is actually implemented.		
260	The true standard deviation of the measurement method, $\sigma_{M}$ , is unknown but $\sigma_{MR}$ , is intended to		
261	be an upper bound for $\sigma_{M}$ . In practice, $\sigma_{MR}$ is actually used as an upper bound for the method		
262	uncertainty, $u_M$ , which is an estimate of $\sigma_M$ . Therefore, the value of $\sigma_{MR}$ will be called the		
263	"required measurement method uncertainty" and denoted by $u_{MR}$ .		
264	The principal MQOs in any project will be defined by the required measurement method		
265	uncertainty, $u_{MR}$ , at and below the UBGR and the relative required measurement method		
266	uncertainty, $\varphi_{MR}$ , at and above the UBGR, $\varphi_{MR} = u_{MR}$ /UBGR. See Section 5.5.2 for further		
267	discussion.		
268	When making decisions about individual measurement results $u_{MR}$ should ideally be 0.3 $\Delta$ , and		
269	when making decisions about the mean of several measurement results $u_{MR}$ should ideally be		
270	$0.1\Delta$ , where $\Delta$ is the width of the gray region, $\Delta = \text{UBGR} - \text{LBGR}$ . In developing these results, a		
271	number of new and sometimes only subtly different definitions and symbols are used. For the		
272	convenience of the reader, many of these are summarized in the tables in Appendix G.1.		
273	5.5.1 Determine the Required Measurement Method Uncertainty at the UBGR		
274	This section provides the rationale and guidance for establishing project-specific MQOs for		
275	controlling $\sigma_{\scriptscriptstyle M}$ . This control is achieved by establishing a desired maximum measurement		
276	method uncertainty at the upper boundary of the gray region. This control also will assist in both		

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- the measurement method selection process and in the evaluation of measurement data.
- Approaches applicable to several situations are detailed below.
- Three basic survey designs were described in Chapter 4: scan-only, in situ, and MARSSIM-type.
- The relative shift,  $\Delta/\sigma$ , is important in determining the level of survey effort required in all three
- designs. For a given width of the gray region,  $\Delta$ , the relative shift,  $\Delta/\sigma$ , can only be controlled
- by controlling  $\sigma$ . The standard deviation,  $\sigma$ , may have both a measurement component,  $\sigma_{\scriptscriptstyle M}$ , and
- a sampling component,  $\sigma_s$ . Segregation and classification may help in controlling  $\sigma_s$  (see
- 284 Sections 4.3 and 5.4).
- For 100% scan-only surveys, the decision uncertainty associated with  $\sigma_s$  is essentially eliminated
- because the entire survey unit is measured. In class 2 survey units, the scan coverage can vary
- from 10% to nearly 100% depending on the value of  $\Delta/\sigma$ . This is a reflection of the fact that for
- a fixed measurement variability,  $\sigma_M$ , smaller values of  $\Delta/\sigma$  imply larger spatial variability.
- 289 Larger spatial variability demands higher scan coverage to reduce the decision uncertainty. That
- is, more of the survey unit must be measured to lower the standard deviation of the mean. In such
- cases, it will be desirable to reduce  $\sigma_M$  until it is negligible in comparison to  $\sigma_S$ .  $\sigma_M$  can be
- considered negligible if it is no greater than  $\sigma_s/3$ . Therefore, MARSAME recommends the
- 293 requirement  $u_{MR} \leq \sigma_s/3$ .
- For in situ survey designs, either the entire survey unit, or a large portion of it, is covered with a
- single measurement. Thus, spatial variability will tend to be averaged out. When decisions are to
- be made by comparing such single measurements to an action level, the total variance of the data
- equals the measurement variance,  $\sigma_M^2$ , and the data distribution in most instances should be
- approximately normal. In these cases the DQOs will be met if

$$u_{MR} \le \frac{\text{UBGR-LBGR}}{z_{1-\alpha} + z_{1-\beta}} = \frac{\Delta}{z_{1-\alpha} + z_{1-\beta}}$$

- where  $z_{1-\alpha}$ , is the  $(1-\alpha)$ -quantile of the standard normal distribution and  $z_{1-\beta}$ , is the  $(1-\beta)$ -
- 301 quantile of the standard normal distribution.

302 If  $\alpha = \beta = 0.05$ , then

303 
$$u_{Mr} \le \frac{\Delta}{z_{0.95} + z_{0.95}} = \frac{\Delta}{1.645 + 1.645} = \frac{\Delta}{3.29} \sim 0.3 \,\Delta$$

- Therefore, MARSAME recommends the requirement  $u_{MR} \leq 0.3\Delta$ . The details are discussed in
- 305 Appendix G.1.2.
- For the special case where the LBGR = 0, then  $\Delta$  = UBGR and  $\sigma_{MR}$  =  $\Delta$  /  $(z_{1-\alpha} + z_{1-\beta})$  implies

307 
$$u_{MR} \le \frac{UBGR}{z_{0.95} + z_{0.95}} = \frac{UBGR}{1.645 + 1.645} = \frac{UBGR}{3.29} \sim 0.3 \, UBGR.$$

- This is equivalent to requiring that the MDC (see Appendix G.3.2) be less than the action level.
- The MDC is defined as the concentration at which the probability of detection is  $1 \beta$  and the
- 310 probability of false detection in a sample with zero concentration is at most  $\alpha$ .
- **Example 1:** Suppose the action level is 10,000 Bq/m<sup>2</sup> and the lower bound of the gray region is
- 312  $\int 5,000 \text{ Bq/m}^2$ ,  $\alpha = 0.05$ , and  $\beta = 0.10$ . If decisions are to be made about individual items, then the
- 313 required measurement method uncertainty at 10,000 Bg/m<sup>2</sup> is

314 
$$u_{MR} = \frac{\Delta}{z_{1-\alpha} + z_{1-\beta}} = \frac{10,000 \text{ Bq/m}^2 - 5,000 \text{ Bq/m}^2}{z_{0.95} + z_{0.90}} = \frac{5,000 \text{ Bq/m}^2}{1.645 + 1.282} = 1,700 \text{ Bq/m}^2$$

- When a decision is to be made about the mean of a sampled population, generally the average of
- a set of measurements on a survey unit is compared to the disposition criterion. For MARSSIM-
- 317 type designs, the ratio  $\Delta/\sigma$ , called the "relative shift," determines the number of measurements
- required to achieve the desired decision error rates  $\alpha$  and  $\beta$ . The target range for this ratio should
- be between 1 and 3, as explained in MARSSIM (MARSSIM 2002) and NUREG-1505 (NRC
- 320 1998a). Ideally, to keep the required number of measurements low, the DQOs are aimed at
- establishing  $\Delta/\sigma \approx 3$ . The cost in number of measurements rises rapidly as the ratio  $\Delta/\sigma$  falls
- below 1, but there is little benefit from increasing the ratio much above 3. One of the main
- objectives in optimizing survey design is to achieve a relative shift,  $\Delta/\sigma$ , of at least one and
- ideally three. Values of  $\Delta/\sigma$  greater than three, while desirable, should not be pursued at

additional cost. If  $\Delta/\sigma$  is 3 and  $\sigma_M$  is negligible in comparison to  $\sigma_{S}$ , then  $\sigma_M$  will be  $\Delta/10$ . The

- details are discussed in Appendix G.1.1.
- Therefore, MARSAME recommends the requirement  $u_{MR} \le \Delta / 10$  by default when decisions are
- being made about the mean of a sampled population. If the LBGR is zero, this is equivalent to
- requiring that the MQC be less than the action level (see Appendix G.1.1).
- Example 2: Suppose the action level is 10,000 Bq/m<sup>2</sup> and the lower bound of the gray region is
- 331 2,000 Bq/m<sup>2</sup>. If decisions are to be made about survey units based on measurements at several
- locations, then the required measurement method uncertainty  $(u_{MR})$  at 10,000 Bq/m<sup>2</sup> is

$$\frac{\Delta}{10} = \frac{10,000 - 2,000}{10} = 800 \text{ Bq/m}^2$$

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- Example 3: Suppose the action level is 10,000 Bq/m<sup>2</sup>, but this time assume the lower bound of
- 336 the gray region is 0 Bq/m<sup>2</sup>. In this case the required method measurement uncertainty,  $u_{MR}$ , at
- 337  $10,000 \text{ Bq/m}^2 \text{ is}$

338 
$$u_{MR} = \frac{\Delta}{10} = (10,000 - 0)/10 = 1,000 \text{ Bq/m}^2$$

- The recommended values of  $u_{MR}$  are based on the assumption that any known bias in the
- measurement process has been corrected and that any remaining bias is well less than 10% of the
- shift,  $\Delta$ , when a concentration near the gray region is measured.
- 342 Achieving a required measurement method uncertainty  $u_{MR}$  less than the recommended limits
- may be difficult in some situations. When the recommended requirement for  $u_{MR}$  is too difficult
- 344 to meet, project planners may allow  $u_{MR}$  to be larger. In this case, project planners may choose
- 345  $\sigma_{MR}$  to be as large as  $\Delta/3$  or any calculated value that allows the data quality objectives to be met
- at an acceptable effort. Two situations that may make this possible are if  $\sigma_S$  is believed to be less
- than  $\Delta/10$  or if it is not difficult to make the additional measurements required by the larger
- 348 overall data variance  $(\sigma_M^2 + \sigma_S^2)$ .

Example 4: Suppose the uncertainty in Example 2 of  $u_{MR} = 800 \text{ Bq/m}^2 \text{ cannot be achieved}$ because of the variability in instrument efficiency with surface roughness. A required measurement method uncertainty,  $u_{MR}$ , as large as  $\Delta / 3 \approx 2,700 \text{ Bq/m}^2 \text{ may be possible if } \sigma_S \text{ is}$ small or if more measurements are taken per survey unit.

# 5.5.2 Determine the Required Measurement Method Uncertainty at Concentrations

Other Than the UBGR

- 355 The most important MQO for data evaluation is the one for measurement method uncertainty at a
- 356 specified concentration. This MQO is expressed as the required measurement method
- uncertainty  $(u_{MR})$  at the UBGR. However, to properly evaluate the data usability of
- measurement results at concentrations other than the UBGR, the implications of this requirement
- must be extended both above and below the UBGR.
- When the concentration is less than or equal to the UBGR, the combined standard uncertainty,
- 361  $u_c$ , (CSU) of a measured result should not exceed the required measurement method uncertainty,
- $u_{MR}$ , specified at the UBGR. When the concentration is greater than the UBGR, the relative
- combined standard uncertainty (RCSU),  $\varphi_{MR}$ , of a measured result should not exceed the
- required relative measurement method uncertainty at the UBGR. This is illustrated in Example 5
- 365 and Figure 5.1.

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- **Example 5**: Suppose the action level is 10,000 Bq/m<sup>2</sup> and the discrimination limit is 3,000.
- Scenario A is used, so the UBGR =  $AL = 10,000 \text{ Bq/m}^2$  and the LBGR =  $DL = 3,000 \text{ Bq/m}^2$ .
- Thus the width of the gray region,  $\Delta = 10,000 3,000 = 7,000$ . If decisions are to be made about
- 369 individual items,  $\alpha = 0.05$ , and  $\beta = 0.05$ , then the required measurement uncertainty at 10,000
- $370 \quad Bq/m^2 \text{ is}$

371 
$$u_{MR} = \frac{\Delta}{z_{1-\alpha} + z_{1-\beta}} = \frac{10,000 \text{ Bq/m}^2 - 3,000 \text{ Bq/m}^2}{z_{0.95} + z_{0.95}} = \frac{7,000 \text{ Bq/m}^2}{1.645 + 1.645} \approx 2,000 \text{ Bq/m}^2$$

- The required measurement method uncertainty,  $u_{MR}$ , is 2,000 Bq/m<sup>2</sup> at 10,000 Bq/m<sup>2</sup>. Thus, for
- any measured result less than 10,000 Bq/m<sup>2</sup>, the reported combined standard uncertainty,  $u_c$ ,
- 374 should be less than or equal to 2,000 Bq/m<sup>2</sup>. For example, a reported result of 4,500 Bq/m<sup>2</sup> with

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a CSU of 1,900 Bq/m<sup>2</sup> would meet the requirement. A reported result of 7,700 Bq/m<sup>2</sup> with a CSU 2,500 Bq/m<sup>2</sup> would not meet the requirement.

The required relative measurement method uncertainty ( $\varphi_{MR}$ ) is 2,000 Bq/m² / 10,000 Bq/m² = 20% at 10,000 Bq/m². Thus, for any measured result greater than 10,000 Bq/m², the reported RCSU should be less than or equal to 20%. For example, a reported result of 14,500 Bq/m² with a CSU of 2,900 Bq/m² would meet the requirement because 2,900/14,500 = 20%. A reported result of 18,000 Bq/m² with a CSU 4,500 Bq/ cm² would not meet the requirement because 4,500/18,000 = 25%.

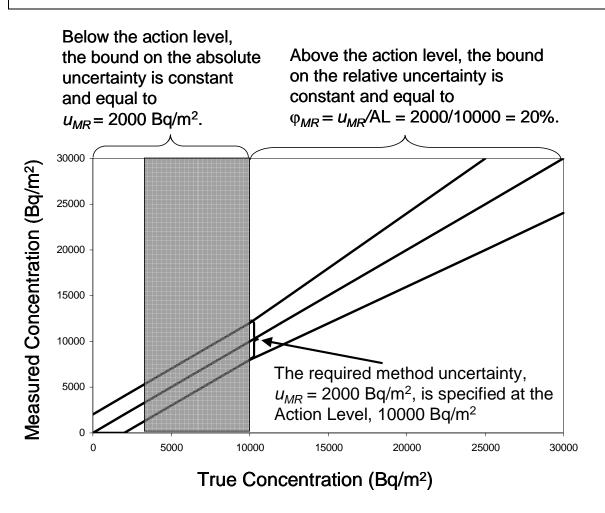


Figure 5.1 Example of the Required Measurement Uncertainty at Concentrations other than the UBGR. In this Example the UBGR Equals the Action Level.

(see Example 5)

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This check of measurement quality against the required measurement method uncertainty relies on having realistic estimates of the measurement uncertainty. Often reported measurement uncertainties are underestimated, particularly if they are confined to the estimated Poisson counting uncertainty (see Appendix G.2). Tables of results are sometimes presented with a column listing simply "±" without indicating how these numbers were obtained. Often it is found that they simply represent the square root of the number of counts obtained during the measurement. The method for calculating measurement uncertainty, approved by both the International Organization for Standardization (ISO) and the National Institute of Standards and Technology (NIST) is discussed in the next section.

# **5.6** Determine Measurement Uncertainty

- This section discusses the evaluation and reporting of measurement uncertainty. Measurements always involve uncertainty, which must be considered when measurement results are used as part of a basis for making decisions. Every measured and reported result should be accompanied by an explicit uncertainty estimate. One purpose of this section is to give users of data an understanding of the causes of measurement uncertainty and of the meaning of uncertainty statements; another is to describe procedures that can be used to estimate uncertainties. Much of this material is derived from MARLAP Chapter 19.
- In 1980, the Environmental Protection Agency published a report entitled "Upgrading Environmental Radiation Data," which was produced by an ad hoc committee of the Health Physics Society (EPA 1980). Two of the recommendations of this report were that:
  - 1. Every reported measurement result (x) should include an estimate of its overall uncertainty  $(u_x)$  that is based on as nearly a complete an assessment as possible.
    - 2. The uncertainty assessment should include every significant source of inaccuracy in the result.

The concept of traceability is also defined in terms of uncertainty. Traceability is defined as the "property of the result of a measurement or the value of a standard whereby it can be related to stated references, usually national or international standards, through an unbroken chain of comparisons all having stated uncertainties" (ISO 1996). Thus, to realistically make the claim

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415	that a measurement result is "traceable" to a standard, there must be a chain of comparisons
416	(each measurement having its own associated uncertainty) connecting the result of the
417	measurement to that standard.
418	This section considers only measurement variability, $\sigma_M$ . Reducing spatial variability, $\sigma_S$ , by
419	segregating M&E was discussed in Section 5.4. Spatial variability due to field sampling
420	uncertainties is often larger than measurement uncertainties. Although this statement may be true
421	in some cases, this is not an argument for failing to perform a full evaluation of the measurement
422	uncertainty. A realistic estimate of the measurement uncertainty is one of the most useful data
423	quality indicators for a result (see Section 3.8).
424	Although the need for reporting uncertainty has sometimes been recognized, often it consists of
425	only the estimated component due to Poisson counting statistics. This is done because it is easier
426	than a full uncertainty analysis, but it can be misleading because it is at best only a lower bound
427	on the uncertainty and may lead to incorrect decisions based on overconfidence in the
428	measurement. Software is available to perform the mathematical operations for uncertainty
429	evaluation and propagation, eliminating much of the difficulty in implementing the mathematics
430	of uncertainty calculations. There are several examples of such software (McCroan 2006, GUM
431	Workbench 2006, Kragten 1994, and Vetter 2006).
432	5.6.1 Use Standard Terminology
433	The methods, terms, and symbols recommended by MARSAME for evaluating and expressing
434	measurement uncertainty are described in the Guide to the Expression of Uncertainty in
435	Measurement, abbreviated as GUM, which was published by ISO (ISO 1995). The ISO
436	methodology is summarized in the NIST Technical Note TN-1297 (NIST 1994).
437	The result of a measurement is generally used to estimate some particular quantity called the
438	measurand. The difference between the measured result and the actual value of the measurand is
439	the error of the measurement. Both the measured result and the error may vary with each
440	repetition of the measurement, while the value of the measurand (the true value) remains fixed.
441	The error of a measurement is unknowable, because one cannot know the error without knowing
442	the true value of the quantity being measured (the measurand). For this reason, the error is
443	primarily a theoretical concept. However, the uncertainty of a measurement is a concept with

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practical uses. According to the GUM and NIST Technical Note 1297, the term "uncertainty of measurement" denotes the values that could reasonably be attributed to the measurand. In practice, there is seldom a need to refer to the error of a measurement, but an uncertainty should be stated for every measured result.

The first step in defining a measurement process is to define the measurand clearly. The specification of the measurand is always ambiguous to some extent, but it should be as clear as necessary for the intended purpose of the data. For example, when measuring the activity of a radionuclide on a surface, it is generally necessary to specify the activity, the date and time, what area of the surface was measured, and where.

Often the measurand is not measured directly but instead an estimate is calculated from the measured values of other input quantities, which have a known mathematical relationship to the measurand. For example, input quantities in a measurement of radioactivity may include the gross count, blank or background count, counting efficiency and area measured. The mathematical model measurement process specifies the relationship between the output quantity, Y, and measurable input quantities,  $X_1, X_2, \ldots, X_N$ , on which its value depends:

459 
$$Y = f(X_1, X_2, ..., X_N)$$
.

The mathematical model for a radioactivity measurement may have the simple form:

Measurement = 
$$\frac{\text{(Gross Instrument Signal) - (Blank Signal)}}{\text{Efficiency}}$$

Each of the quantities shown here may actually be a more complicated expression. For example, the efficiency may be the product of factors such as surveyor efficiency, surface roughness efficiency correction, and the instrument counting efficiency. Interferences may be due to ambient background or other radionuclides that have interactions with the detector in a manner that contributes spuriously to the gross instrument signal.

When a measurement is performed, a specific value  $x_i$  is estimated for each input quantity,  $X_i$ , and an estimated value, y, of the measurand is calculated using the relationship  $y = f(x_1, x_2, ..., x_N)$ . Since there is an uncertainty in each input estimate,  $x_i$ , there is also an uncertainty in the output estimate, y. Determining the uncertainty of the output estimate y requires that the uncertainties

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- of all the input estimates  $x_i$  be determined and expressed in comparable forms. The uncertainty
- of  $x_i$  is expressed in the form of an estimated standard deviation, called the standard uncertainty
- and denoted by  $u(x_i)$ . The ratio  $u(x_i)/|x_i|$  is called the relative standard uncertainty of  $x_i$ , where
- 474  $|x_i|$  is the absolute value of  $x_i$ .
- The partial derivatives,  $\partial f / \partial x_i$ , are called sensitivity coefficients, usually denoted  $c_i$ . The  $c_i$
- 476 measure how much f changes when  $x_i$  changes. The standard uncertainties are combined with
- sensitivity coefficients to obtain the component of the uncertainty in y due to  $x_i$ ,  $c_i u(x_i)$ . The
- square of the combined standard uncertainty, denoted by  $u_c^2(y)$ , is called the combined variance.
- 479 It is obtained using the formula for the propagation of uncertainty<sup>1</sup>:

480 
$$u_c^2(y) = \sum_{i=1}^N \left(\frac{\partial f}{\partial x_i}\right)^2 u^2(x_i) = \sum_{i=1}^N c_i^2 u^2(x_i)$$
. The square root of the combined variance is the

- combined standard uncertainty of y, denoted by  $u_c(y)$ . Further details of this process are given in
- 482 Appendix G.2.1.

# 483 **5.6.2** Consider Sources of Uncertainty

- The following sources of uncertainty should be considered:
- Radiation counting
- Instrument calibration (e.g., counting efficiency)
- Variable instrument backgrounds
- Variable counting efficiency (e.g., due to the instrument or to source geometry and
- 489 placement)
- Interferences, such as crosstalk and spillover

\_

If the input estimates are potentially correlated, covariance estimates  $u(x_i, x_j)$  must also be determined. The covariance  $u(x_i, x_j)$  is often recorded and presented in the form of an estimated correlation coefficient,  $r(x_i, x_j)$ , which is defined as the quotient  $u(x_i, x_j) / u(x_i)u(x_i)$ . See Appendix G.2.

- 491 Other sources of uncertainty could include:
- Temperature and pressure
- Volume and mass measurements
- Determination of counting time and correction for dead time
- Time measurements used in decay and ingrowth calculations
- Approximation errors in simplified mathematical models
- Published values for half-lives and radiation emission probabilities
- There are a number of sources of measurement uncertainty in gamma-ray spectroscopy,
- 499 including:
- Poisson counting uncertainty;
- Compton baseline determination;
- Background peak subtraction;
- Multiplets and interference corrections;
- Peak-fitting model errors;
- Efficiency calibration model error;
- Summing;
- Density-correction factors; and
- Dead time.
- Additional discussion of some major sources of uncertainty may be found in Appendix G.2.2.
- **Example 6:** Consider a simple measurement of a sample. The activity will be calculated from

$$511 \quad y = \frac{(N_S/t_S) - (N_B/t_B)}{\varepsilon}$$

- 512 Where:
- 513 y is the sample activity (Bq),
- 514  $\varepsilon$  is the counting efficiency 0.4176 (s<sup>-1</sup>/Bq),
- 515  $N_S$  is the gross count observed during the measurement of the source, (11578).
- 516  $t_S$  is the source count time (300 s),
- 517  $N_{\rm B}$  is the observed background count (87),

- 518  $t_B$  is the background count time (6,000 s),
- 519 The combined standard uncertainty of  $\varepsilon$  is given by  $u_c(\varepsilon) = 0.005802$ . This is shown in Example
- 2 in Appendix G.2.2.2. Assume the radionuclide is long-lived; so, no decay corrections are
- 521 needed. The uncertainties of the count times are also assumed to be negligible. The standard
- 522 uncertainties in  $N_S$  and  $N_B$  will be estimated as  $\sqrt{N_S}$  and  $\sqrt{N_B}$  using the Poisson assumption.

523 Then 
$$y = \frac{(N_S/t_S) - (N_B/t_B)}{\varepsilon} = \frac{(11578/300) - (87/6000)}{0.4179} = 92.316$$

524 
$$u_c^2(y) = \sum_{i=1}^{N} \left( \frac{\partial f}{\partial x_i} \right)^2 u^2(x_i) = \sum_{i=1}^{N} c_i^2 u^2(x_i)$$

$$525 = \left(\frac{\partial \frac{(N_S/t_S) - (N_B/t_B)}{\varepsilon}}{\partial N_S}\right)^2 u^2(N_S) + \left(\frac{\partial \frac{(N_S/t_S) - (N_B/t_B)}{\varepsilon}}{\partial N_B}\right)^2 u^2(N_B) + \left(\frac{\partial \frac{(N_S/t_S) - (N_B/t_B)}{\varepsilon}}{\partial \varepsilon}\right)^2 u^2(N_B) + \left(\frac{\partial \frac{(N_S/t_S) - (N_S/t_S)}{\varepsilon}}{\partial \varepsilon}\right)^2 u^2(N_B) + \left(\frac{\partial \frac{(N_S/t_S) - (N_S/t_S)}{\varepsilon}}{\partial \varepsilon}\right)^2 u^2(N_B) +$$

$$526 \quad \left| = \left(\frac{1/t_S}{\varepsilon}\right)^2 u^2(N_S) + \left(\frac{-1/t_B}{\varepsilon}\right)^2 + u^2(N_B) \left(\frac{-(N_S/t_S) - (N_B/t_B)}{\varepsilon^2}\right)^2 u^2(\varepsilon)$$

$$527 \qquad = \left(\frac{1/300}{0.4176}\right)^2 \sqrt{11578}^2 + \left(\frac{-1/6000}{0.4176}\right)^2 + \sqrt{87}^2 \left(\frac{-(11578/300) - (87/6000)}{0.4176^2}\right)^2 0.005802^2$$

- =0.7379 + 0.00001 + 1.6384 = 2.3851. Note that these calculations show which input quantities
- are contributing the most to the combined variance.  $N_S$  contributes 0.7379/2.3851 ~ 31%.  $N_B$
- 530 contributes virtually nothing. The uncertainty in the efficiency contributes 1.6384/2.3851 ~
- 531 69%. An analysis such as this is called an uncertainty budget, and quickly points out where
- improvements in the measurement may be made.
- Taking the square root of the combined variance we find  $u_c(y) = 1.54439$ . Usually the combined
- standard uncertainty is rounded to two significant figures and the result is rounded to match the
- same number of decimal places. So the result would be reported as 92.3 Bq with a combined
- standard uncertainty of 1.5 Bq.

Note that if the uncertainty in the efficiency had been neglected, the combined standard
uncertainty would have been underestimated as 0.86 Bq, and would have been attributed entirely
to the uncertainty in the sample counts. This illustrates the importance of including all
significant sources of uncertainty in the calculations. Many of these calculations can be done
using computer software programs mentioned earlier.

A much more detailed and involved example is given in Appendix G.2.3

#### 5.6.3 Summary of Uncertainty Calculation and Reporting

- Use the terminology and methods of the Guide to the Expression of Uncertainty in Measurement (ISO 1995) for evaluating and reporting measurement uncertainty.
- Follow QC procedures that ensure the measurement process remains in a state of statistical control, which is a prerequisite for uncertainty evaluation.
  - Account for possible blunders or other spurious errors. Spurious errors indicate a loss of statistical control of the process and are not part of the uncertainty analysis described above.
- Report each measured value with either its combined standard uncertainty (or its expanded uncertainty, see Appendix G.2.1.7).
- Reported measurement uncertainties should be clearly explained. (In particular, when an expanded uncertainty is reported, the coverage factor should be stated and the basis for the coverage probability should also be given, see Appendix G.2.1.7).
- Consider all possible sources of measurement uncertainty and evaluate and propagate the uncertainties from all sources believed to be potentially significant in the final result.
- Each uncertainty should be rounded to either one or two significant figures, and the
  measured value should be rounded to the same number of decimal places as its
  uncertainty.
- Results should be reported as obtained together with their uncertainties (whether positive, negative, or zero).

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# 5.7 Determine Measurement Detectability

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564 This section is a summary of issues related to measurement detection capabilities. Much of this 565 material is derived from the MARLAP Chapter 20. More detail may be found in Appendix G.3. 566 Environmental radioactivity measurements may involve material with very small amounts of the 567 radionuclide of interest. Measurement uncertainty often makes it difficult to distinguish such 568 small amounts from zero. Therefore, an important MOO of a measurement process is its 569 detection capability, which is usually expressed as the smallest concentration of radioactivity that 570 can be reliably distinguished from zero. Effective project planning requires knowledge of the 571 detection capabilities of the measurement method that will be or could be used. This section 572 explains a MQO called the minimum detectable concentration (MDC) and describes 573 radioactivity detection capabilities, as well as methods for calculating it. 574 The method most often used to make a detection decision about radiation or radioactivity 575 involves the principles of statistical hypothesis testing. It is a specific example of a Scenario B 576 hypothesis testing procedure described in Section 4.2.4. To "detect" the radiation or 577 radioactivity requires a decision on the basis of the measurement data that the radioactivity is 578 present. The detection decision involves a choice between the null hypothesis ( $H_0$ ): There is no 579 radiation or radioactivity present (above background), and the alternative hypothesis  $(H_1)$ : There 580 is radiation or radioactivity present (above background). In this context, a Type I error is to 581 conclude that radiation or radioactivity is present when it actually is not, and a Type II error is to conclude that radiation or radioactivity is not present when it actually is.<sup>2</sup> Making the choice 582 583 between these hypotheses requires the calculation of a critical value. If the measurement result 584 exceeds this critical value, the null hypothesis is rejected and the decision is that radiation or 585 radioactivity is present.

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<sup>&</sup>lt;sup>2</sup> Note that in any given situation only one of the two types of decision error is possible. If the sample *does not* contain radioactivity, a Type I error is possible. If the sample *does* contain radioactivity, a Type II error is possible.

#### 587 The critical value defines a region where the net instrument signal (count) is too large to be 588 compatible with the premise that there is no radioactivity present. It has become standard 589 practice to make the detection decision by comparing the net instrument count to its critical 590 value, $S_C$ . The net count is calculated from the gross count by subtracting the estimated background and any interferences.<sup>3</sup> 591 592 The mean value of the net instrument count typically is positive when there is radioactivity 593 present (i.e., above background). The gross count must be corrected by subtracting an estimate 594 of the count produced under background conditions. See section G.2.2 (Instrument 595 Background).

**Calculate the Critical Value** 

given in rows 3-5 are especially appropriate when the total background is less than 100 counts. These formulas depend on  $N_B$  (the background count),  $t_B$  (the background count time),  $t_S$  (the sample count time), and  $z_{1-\alpha}$  (the  $(1-\alpha)$ -quantile of the standard normal distribution). The value of  $\alpha$  determines the sensitivity of the test. It is the probability that a detection decision is made when no radioactivity above background is actually present.

Table 5.1 lists some formulas that are commonly used to calculate the critical value,  $S_{\rm C}$ , together

with the major assumptions made in deriving them. Note specifically that the Stapleton formulas

More detail on the calculation of critical values is given in Appendix G.3.3. Software (Strom 1999) is available for calculating  $S_C$  using the equations recommended here, among others.

<sup>3</sup> The presence of other radiation or radioactivity that hinder the ability to analyze for the radiation or radioactivity of interest.

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Table 5.1 Recommended Approaches for Calculating the Critical Net Signal,  $S_C^4$ 

	Critical Value Equation	Assumptions	Background Count
1	$S_C = z_{1-\alpha} \sqrt{N_B \frac{t_S}{t_B} \left( 1 + \frac{t_S}{t_B} \right)}$	Poisson	> 100
2	$S_C = 2.33\sqrt{N_B}$	Poisson $\alpha = 0.05$ $t_B = t_S$	> 100
3	$S_C = d \times \left(\frac{t_S}{t_B} - 1\right) + \frac{z_{1-\alpha}^2}{4} \times \left(1 + \frac{t_S}{t_B}\right) + z_{1-\alpha} \sqrt{\left(N_B + d\right) \frac{t_S}{t_B} \left(1 + \frac{t_S}{t_B}\right)}$	Stapleton $t_B \neq t_S$	< 100
4	$S_C = 0.4 \times \left(\frac{t_S}{t_B} - 1\right) + \frac{1.645^2}{4} \times \left(1 + \frac{t_S}{t_B}\right) + 1.645 \sqrt{\left(N_B + 0.4\right) \frac{t_S}{t_B} \left(1 + \frac{t_S}{t_B}\right)}$	Stapleton $t_B \neq t_S$ $\alpha = 0.05$ $d = 0.4$	< 100
5	$S_C = 1.35 + 2.33\sqrt{N_B + 0.4}$	Stapleton $t_B = t_S$ $\alpha = 0.05$ $d = 0.4$	< 100

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<sup>&</sup>lt;sup>4</sup> These expressions for the critical net count depends for its validity on the assumption of Poisson counting statistics. If the variance of the blank signal is affected by interferences, or background instability, then the Equation 20.7 of MARLAP may be more appropriate.

**Example 7:** A 600-second background measurement is performed on a proportional counter and 108 beta counts are observed. A sample is to be counted for 300 s. Estimate the critical value of the net count when  $\alpha = 0.05$ .

$$S_C = z_{1-\alpha} \sqrt{N_B \frac{t_S}{t_B} \left( 1 + \frac{t_S}{t_B} \right)}$$

$$S_C = 1.645 \sqrt{108 \times \left(\frac{300 \text{ s}}{600 \text{ s}}\right) \left(1 + \frac{300 \text{ s}}{600 \text{ s}}\right)} = 14.8 \text{ net counts}$$

Therefore, if 15 or more net counts are observed, the decision will be made that the sample contains radioactivity above background. Values of  $S_C$  should be rounded up when necessary to make sure that the specified Type I error probability,  $\alpha$ , is not exceeded.

#### 5.7.2 Calculate the Minimum Detectable Value of the Net Count

Table 5.2 lists some formulas that are commonly used to calculate the minimum detectable net count,  $S_D$ , together with the major assumptions made in deriving them.  $S_D$ , is defined as the mean value of the net count that gives a specified probability,  $1-\beta$ , of yielding an observed count greater than its critical value  $S_C$ . Therefore  $S_C$  must be calculated before  $S_D$ . Note specifically that the Stapleton formulas given in rows 4 and 5 are especially appropriate when the total background is less than 100 counts. Generally, the Stapleton methods may be used for both high and low total background counts as they agree well with the more traditional methods when the background counts are over 100. The simpler more familiar formulas have been included for completeness.

It is important that the assumptions used to calculate  $S_D$  are consistent with those that were used to calculate  $S_C$ . The equations for  $S_D$  depend on the same variables as  $S_C$ , namely  $N_B$ ,  $t_B$ , and  $t_S$ . Notice that neither  $\alpha$  nor  $z_{1-\alpha}$  appears explicitly, rather they enter the calculation through  $S_C$ .

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However,  $\beta$  now enters the calculation of  $S_D$  through  $z_{1-\beta}$ . The value of  $\beta$ , like  $\alpha$ , is usually

chosen to be 0.05 or is assumed to be 0.05 by default if no value is specified.

# **Table 5.2 Recommended Approaches for Calculating the Minimum Detectable Net**

# 631 **Count.**<sup>5</sup>

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	Minimum Detectable Net Signal Equation	Assumptions	Background Count
1	$S_D = S_C + \frac{z_{1-\beta}^2}{2} + z_{1-\beta} \sqrt{\frac{z_{1-\beta}^2}{4} + S_C + N_B \frac{t_S}{t_B} \left(1 + \frac{t_S}{t_B}\right)}$	Poisson $t_B \neq t_S$	> 100
2	$S_D = z_{1-\beta}^2 + 2S_C$	Poisson $t_B \neq t_S$ $\alpha = \beta$	> 100
3	$S_D = 2.71 + 2S_C = 2.71 + 2(2.33\sqrt{N_B}) = 2.71 + 4.66\sqrt{N_B}$	Poisson $\alpha = \beta = 0.05$ $t_B = t_S$	> 100
4	$S_D = \frac{(z_{1-\alpha} + z_{1-\beta})^2}{4} \left( 1 + \frac{t_S}{t_B} \right) + (z_{1-\alpha} + z_{1-\beta}) \sqrt{N_B \frac{t_S}{t_B} \left( 1 + \frac{t_S}{t_B} \right)}$	Stapleton	< 100
5	$S_D = 5.41 + 4.65\sqrt{N_B}$	Stapleton $\alpha = \beta = 0.05$ $t_B = t_S$	< 100

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<sup>&</sup>lt;sup>5</sup> These expressions for the critical value net count depend for their validity on the assumption of Poisson counting statistics. If the variance of the blank signal is affected by interferences, or background instability, then Equation 20.7 of MARLAP may be more appropriate.

**Example 8** A 600-second background measurement on a proportional counter produces 108 beta counts and a source is to be counted for 300 s. Assume the background measurement gives the available estimate of the true mean background count rate and use the value 0.05 for Type I and Type II error probabilities. From section 5.7.5, Example 7, the critical net count,  $S_C$ , equals 14.8, so  $S_D = z_{1-\beta}^2 + 2S_C = 1.645^2 + 2$  (14.8) = 32.3 net counts. Values of  $S_D$  should be rounded up when necessary to make sure that the specified Type II error probability,  $\beta$ , is not exceeded.

The relationship between the critical value of the net count,  $S_C$ , and the minimum detectable net count,  $S_D$ , is shown in Figure 5.2. The net counts obtained for a blank sample will usually be distributed around zero as shown. Occasionally, a net count rate above  $S_C$  may be obtained by chance. The probability that this happens is controlled by the value of  $\alpha$ , shown as the lightly shaded area in Figure 5.2. Smaller values of  $\alpha$  result in larger values of  $S_C$  and vice versa. The minimum detectable value of the net count  $S_D$  is that value of the mean net count that results in a detection decision with probability  $1 - \beta$ . That is, there is only a  $\beta$ , shown as the more darkly shaded area in Figure 5.2, of yielding an observed count less than  $S_C$ . Smaller values of  $\beta$  result in larger values of  $S_D$  and vice versa.

More information detail on the calculation of the minimum detectable value of the net instrument signal,  $S_D$ , is given in Appendix G.3.4.

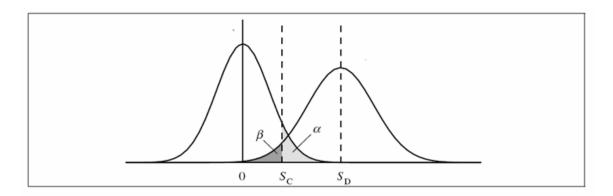


Figure 5.2 The critical net signal  $(S_C)$  and the minimum detectable net signal  $(S_D)$ .

(Adapted from Figure 20.1 of MARLAP)

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#### **5.7.3** Calculate the MDC

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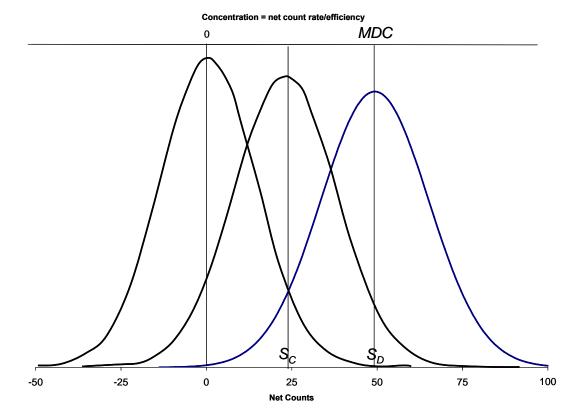
- The MDC is usually obtained from the minimum detectable value of the net instrument count,
- $S_D$ . The MDC is by definition an estimate of the true concentration of the radiation or
- radioactivity required to give a specified high probability that the measured response will be
- greater than the critical value. The common practice of comparing a measured concentration to
- the MDC, instead of to the  $S_C$ , to make a detection decision is incorrect.
- To calculate the MDC, the minimum detectable value of the net count,  $S_D$ , must first be
- converted to the detectable value of the net count rate,  $S_D/t_S$  ( $s^{-1}$ ). This in turn must be divided
- by the counting efficiency,  $\varepsilon$  ( $s^{-1}$ )/(Bq) to get the minimum detectable activity,  $y_D$ . Finally, the
- minimum detectable activity can be divided by the sample volume or mass to obtain the MDC.
- At each stage in this process, additional uncertainty may be introduced by the uncertainties in
- time, efficiency, volume, mass, etc. Thus prudently conservative values of these factors should
- be used so that the desired detection power,  $1 \beta$ , at the MDC is maintained. Another approach
- would be to recognize that  $y_D$  itself has an uncertainty which can be calculated using the methods
- of Section 5.6. Thus any input quantity that is used to convert from  $S_D$  to  $y_D$  that has significant
- uncertainty can be incorporated to asses the overall uncertainty in the MDC. Additional
- discussion of the calculation of the MDCs is given in Appendix G.3.5.
- **Example 9:** Continuing example 8,  $S_D = 32.3$  net counts.
- Assuming negligible uncertainty in the count time, the net count rate is
- 672  $S_D/t_S = 32.3/300 = 0.1077 (s^{-1}).$
- The mean efficiency from Example 6 in Section 5.6.3 was 0.4176  $(s^{-1})/(Bq)$  with a combined
- standard uncertainty of  $u_c(\varepsilon) = 0.005802$ .
- In Example 8 the value 0.05 was specified for both Type I and Type II error probabilities. So the
- 676 | specified power was  $1 \beta = 1 0.05 = 0.95$ .
- Assume a normal distribution for  $\varepsilon$ , to obtain a 95% probability of detection for the MDC.
- To account for the variability in the efficiency, the value used for  $\varepsilon$  should be the 5<sup>th</sup> percentile,
- 679 i.e., 0.4176 1.645(0.005805) = 0.4081.
- Thus the minimum detectable activity,  $y_D = \frac{S_D/t_s}{\varepsilon} = 0.1077/0.4081 = 0.2639 \text{ Bq.}$

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- Using the mean value of the efficiency would potentially underestimate the minimum detectable
- 682 activity as  $y_D = \frac{S_D/t_s}{\varepsilon} = 0.1077/0.4176 = 0.2578 \,\text{Bq}.$
- These values for  $y_D$  would then be divided by the mass or volume of the sample to yield the
- 684 MDC.

#### 5.7.4 Summary of Measurement Detectability

- The concepts surrounding the MDC and the critical value are illustrated in Figure 5.3, using
- familiar formulae for  $S_C$  and  $S_D$  discussed above, assuming a background count of  $N_B = 100$  with
- 688  $\alpha = \beta = 0.5$ . In this case, the equation in row 2 of Table 5.1 was used to obtain  $S_C = 23.3$ , and the
- corresponding equation in row 3 of Table 5.2 to obtain  $S_D = 49.3$ . The use of these equations
- 690 implies  $\alpha = \beta = 0.05$  and  $t_B = t_S$ .
- Note, the upper abscissa scale is in concentration and the lower abscissa scale is in net count.
- These are related by the efficiency at the point where the MDC corresponds to the minimum
- detectable net count,  $S_D$ . Each of the curves illustrates the distribution of mean net counts (or
- 694 concentration) that may exist for a measurement. The width of these curves represents the
- variation due to counting statistics. The variability due to other factors is associated with
- uncertainty in  $\varepsilon$ . Changes in the relationship between the lower and the upper scales result from
- 697 changes in ε. This illustrates the importance of choosing realistic, or even conservative, values
- 698 of ε. Note that the probability of making a detection decision (which is proportional to the area
- of each curve to the right of  $S_C$ ) depends on the concentration, increasing from 5% at background
- to 95% at the MDC, passing through 50% at  $S_C$ . This is perhaps more clearly shown in
- Figure 5.4, which plots the probability of making a detection decision as a function of net count
- 702 (or concentration).
- Figure 5.4 shows that for concentrations corresponding to net counts between 0 and  $S_C$  the
- probability of a non-detect is greater than 50%. For concentrations corresponding to net counts
- between  $S_C$  and  $S_D$  the probability of detection is greater than 50%, but less than 95%.
- Concentrations above the MDC (with net counts greater than  $S_D$ ) are highly likely to be detected,
- but will have relative standard uncertainties that are somewhat large.



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Figure 5.3 Relationship Between the Critical Value, the Minimum Detectable Net Counts and the MDC (upper x-axis in units of concentration, lower x-axis in units of net counts)

#### 5.7.5 Measurement Detectability Recommendations

- When a detection decision is required, it generally should be made by comparing the net count to its corresponding critical value.
  - Expressions for the critical value and minimum detectable value should be chosen that are appropriate for the structure and statistics of the measurement process.
  - An appropriate background should be used to predict the count produced when there is no radioactivity present in the sample.
  - The minimum detectable value (MDC) should be used only as a MQO for the measurement method. To make a detection decision, a measurement result should be compared the critical value and never to the MDC.

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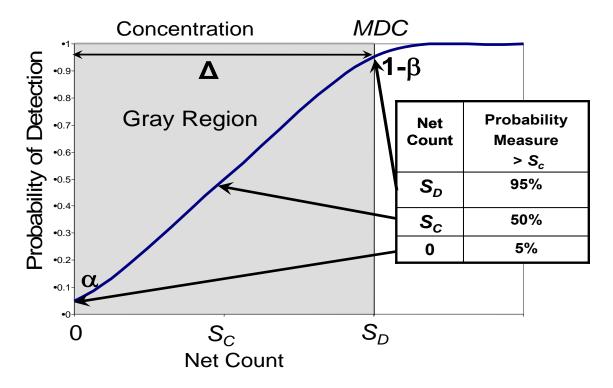


Figure 5.4 Probability of Detection as a Function of Net Count (lower x-axis) and Concentration (upper x-axis)

- The validity of the Poisson approximation for the measurement process should be confirmed using the methods described in MARLAP Chapter 20 before using an expression for the critical value that is based on Poisson statistics. When the Poisson approximation is inappropriate for determining the critical value, estimating  $\sigma$  by the sample standard deviation of replicated background measurements is preferable to using the square root of the number of counts.
- Consider all significant sources of variance in the instrument signal (or other response variable) when calculating the critical value,  $S_C$ , and minimum detectable value,  $S_D$ .
- Report each measurement result and its uncertainty as obtained even if the result is less than zero. Never report a result as "less than MDC" or "less than  $S_C$ ."
- The MDC should not be used for projects where the issue is a quantitative comparison of the average of several measurements to a limit rather than just a detection decision made for a single measurement. For these projects, the minimum quantifiable concentration is a more relevant MQO for the measurement process (see Section 5.8).

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# 5.8 Determine Measurement Quantifiability

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- 740 This section discusses issues related to measurement quantifiability. Much of this material is 741 derived from the MARLAP Chapter 20. 742 Action levels are frequently stated in terms of a quantity or concentration of radioactivity, rather 743 than in terms of detection. In these cases, project planners may need to know the quantification 744 capability of a measurement method, or its capability for precise measurement. The 745 quantification capability is expressed as the smallest concentration of radiation or radioactivity 746 that can be measured with a specified relative standard deviation. This section explains an MQO 747 called the minimum quantifiable concentration (MQC), which may be used to describe 748 quantification capabilities. 749 The MQC of the concentration,  $y_0$ , is defined as the concentration at which the measurement process gives results with a specified relative standard deviation  $1 / k_Q$  where  $k_Q$  is usually 750 751 chosen to be 10 for comparability. 752 Historically much attention has been given to the detection capabilities of radiation and 753 radioactivity measurement processes, but less attention has been given to quantification 754 capabilities. For some projects, quantification capability may be a more relevant issue. For example, suppose the purpose of a project is to determine whether the <sup>226</sup>Ra concentration on 755 material at a site is below an action level. Since <sup>226</sup>Ra can be found in almost any type of 756 757 naturally occurring material, it may be assumed to be present in every sample, making detection 758 decisions unnecessary. The MDC of the measurement process obviously should be less than the 759 action level, but a more important question is whether the MQC is less than the action level. 760 A common practice in the past has been to select a measurement method based on the minimum 761 detectable concentration (MDC), which is defined in Section 5.7. For example, the Multi-
- During survey design, it is generally considered good practice to select a measurement system with an MDC between 10-50% of the DCGL [action level].

Agency Radiation Survey and Site Investigation Manual (MARSSIM 2002) says:

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- Such guidance implicitly recognizes that for cases when the decision to be made concerns the
- mean of a population that is represented by multiple measurements, criteria based on the MDC
- may not be sufficient and a somewhat more stringent requirement is needed. The requirement
- 768 that the MDC (approximately 3-5 times  $\sigma_M$ ) be 10% to 50% of the action level is tantamount to
- requiring that  $\sigma_M$  be 0.02 to 0.17 times the action level in other words, the relative standard
- deviation should be approximately 10% at the action level. However, the concentration at which
- 771 the relative standard deviation is 10% is the MQC when  $k_0$  assumes its conventional value of
- 772 10. Thus, a requirement that is often stated in terms of the MDC may be more naturally
- expressed in terms of the MQC, e.g. by saying that the MQC should not exceed the action level.

#### 774 **5.8.1 Calculate the MQC**

- 775 The minimum quantifiable concentration, when there are no interferences can be calculated
- 776 from:

777 
$$y_{Q} = \frac{k_{Q}^{2}}{2t_{S}\varepsilon(1 - k_{Q}^{2}\phi_{\hat{\varepsilon}}^{2})} \left(1 + \sqrt{1 + \frac{4(1 - k_{Q}^{2}\phi_{\hat{\varepsilon}}^{2})}{k_{Q}^{2}}} \left(N_{B}\frac{t_{S}}{t_{B}}\left(1 + \frac{t_{S}}{t_{B}}\right)\right)\right)$$

- 778 Where:
- 779  $t_{\rm S}$  is the count time for the source, s,
- 780  $t_{\rm B}$  is the count time for the background, s,
- $N_{\rm B}$  is the background count,
- 782  $\phi_{\hat{s}}^2$  is the relative variance of the measured efficiency,  $\hat{\varepsilon}$ . (See for example
- 783 Appendix G.2.2.2)
- 784  $k_o$  assumes its conventional value of 10
- 785 **Example 10:** Continuing example 9,  $t_S = 300$ ,  $t_B = 600$ ,  $N_B = 108$ ,  $\phi_{\hat{\epsilon}}^2 = (0.005805/0.4176)^2 =$
- 786 0.0001932, and  $k_o = 10$ . So,

787 
$$y_{Q} = \frac{k_{Q}^{2}}{2t_{S}\varepsilon(1 - k_{Q}^{2}\phi_{\hat{\varepsilon}}^{2})} \left(1 + \sqrt{1 + \frac{4(1 - k_{Q}^{2}\phi_{\hat{\varepsilon}}^{2})}{k_{Q}^{2}}} \left(N_{B}\frac{t_{S}}{t_{B}}\left(1 + \frac{t_{S}}{t_{B}}\right)\right) \right)$$

$$788 = \frac{100}{2(300)(0.4176)(1-100(0.0001932))} \left(1 + \sqrt{1 + \frac{4(1-100(0.0001932))}{100} \left(108 \frac{300}{600} \left(1 + \frac{300}{600}\right)\right)}\right)$$

- 789 = 1.239 Bq. This value for  $y_Q$  would then be divided by the mass or volume of the sample to
- 790 yield the MQC.
- The next example is given to verify that the equation for  $y_0$  does indeed produce a value with a
- relative uncertainty of 10%. It also provides an opportunity to give another illustration of the
- methodology for the calculation of measurement uncertainty developed in Section 5.6.
- Additional information on the calculation of MQCs is given in Appendix G.4.
- 795 **Example 11:** The calculations of Example 10 can be verified by calculating the uncertainty of a
- measurement made at the MQC. The expected number of counts for a sample at the MQC
- 797 | counted for 300 s:

798 
$$N_S = y_Q t_S \varepsilon + N_B (t_S / t_B) = (1.239 \text{ Bq})(300 \text{ s})(0.4176) + (108 \text{ s}^{-1})(300 / 600) = 209,$$

- 799 rounded to the nearest whole number.
- The model equation is the same as was used in Example 6, Section 5.6.3:
- 801  $y = \frac{(N_S/t_S) (N_B/t_B)}{\varepsilon}$ , so the equation for the combined standard uncertainty is the same:

802 
$$u_c^2(y) = \left(\frac{1/t_S}{\varepsilon}\right)^2 u^2(N_S) + \left(\frac{-1/t_B}{\varepsilon}\right)^2 + u^2(N_B) \left(\frac{-(N_S/t_S) - (N_B/t_B)}{\varepsilon^2}\right)^2 u^2(\varepsilon)$$

803 
$$= \left(\frac{1/300}{0.4176}\right)^{2} (209) + \left(\frac{-1/600}{0.4176}\right)^{2} (108) + \left(\frac{-(209/300) - (108/600)}{0.4176^{2}}\right)^{2} (0.005805)^{2}$$

804 = 
$$1.332 \times 10^{-2} + 1.72 \times 10^{-3} + 8.5 \times 10^{-4} = 1.589 \times 10^{-2}$$

- 805  $u_c(y) = \sqrt{1.59 \times 10^{-2}} = 0.126$ . Thus the relative uncertainty at the MQC is 0.126/1.239 = 0.1017.
- This means, apart from some small difference due to rounding, the relative measurement
- 807 uncertainty at  $y_Q$  is 10%, as should be the case for the MQC.

#### 5.8.2 Summary of Measurement Quantifiability

Multiple of the uncertainty: 0

Figure 5.5 is a modification of Figure 5.4, illustrating the relationships between the critical value, the MDC, the MQC and the probability of exceeding the critical value. As can be seen, the issue of detection is almost moot at the MQC. The probability of detection is near 100%. However, the MQC specifies a concentration with a defined relative standard uncertainty, making comparisons between measurements or comparisons between measurements and regulatory criteria meaningful.

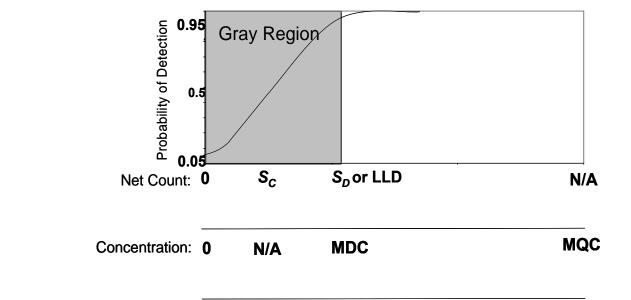


Figure 5.5 Relationships Among the Critical Value, the MDC, the MQC and the Probability of Exceeding the Critical Value

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1.5-2.5

Three x-axis scales are shown in Figure 5.5, for net count, concentration, and multiple of measurement uncertainty. This emphasizes, for example, that the minimum detectable net count,  $S_D$ , corresponds to the minimum detectable concentration (MDC), but has different units. It also shows that the minimum quantifiable concentration (MQC) is by definition 10 times the measurement uncertainty at that concentration. The critical value of the net count,  $S_C$ , has no corresponding common term in concentration units. This is because detection decisions are usually made on the basis of the net counts (instrument reading). These are inherently qualitative "yes or no" decisions. The relationship between  $S_C$  and  $S_D$  and the multiple of the uncertainty

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826 varies according to which set of assumptions are used and which equations in Table 5.2 and 827 Table 5.3 are appropriate to those assumptions. Therefore an approximate range is shown for 828 these quantities on the multiple of uncertainty axis. 5.9 Select a Measurement Technique and Instrumentation Combination 829 830 The combination of a measurement technique with instrumentation is used to select a 831 measurement method to implement a disposition survey design based on the ability to meet the 832 MQOs (see Section 3.3.2 and 5.5). A realistic determination of the measurement method 833 uncertainty (see Section 5.6) is critical to demonstrating a method meets the MQOs. Other 834 considerations when selecting a measurement method include: 835 • Health and safety concerns (Section 5.2), 836 • M&E handling issues (Section 5.3), 837 • Segregation (Section 5.4), 838 • Measurement detectability (Section 5.7), and 839 Measurement quantifiability (Section 5.8). 840 The measurement techniques discussed in Section 5.9.1 can all be classified as scanning 841 measurements (constant motion involved in the surveying procedure) or fixed measurements 842 (surveying discrete locations without motion). Fixed measurements consist of in situ 843 measurements (the detection instrument moves to the M&E or measures the M&E in its 844 entirety), and sampling (removing part of the M&E for separate analysis). 845 Instrumentation for performing radiological measurements is varied and constantly being 846 improved. The discussions in Section 5.9.2 provide an overview of some commonly used types 847 of instruments and how they might be applied to disposition surveys. The purpose of the 848 discussions on instrumentation is not to provide an exhaustive list of acceptable instruments, but 849 to provide examples of how instrumentation and measurement techniques can be combined to 850 meet the survey objectives. Additional information on instrumentation is found in Appendix D. 851 Section 5.9.3 provides information on selecting a combination of instrumentation and survey 852 technique to provide a measurement method. It is necessary that the selected measurement

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method meet the MQOs established during survey design (see Section 3.8). Selection of

854 instrumentation can be an iterative process. The appropriate MQO (e.g., MDC, MQC) may not 855 be attainable with some measurement methods. In some cases selection of a different instrument 856 may be all that is necessary, while in other cases a different measurement technique or an 857 entirely different measurement method will need to be considered. 858 **Measurement Techniques** 859 A measurement technique describes how a measurement is performed. The detector can be 860 moved relative to the M&E (i.e., scanning), used to perform static measurements of the M&E in 861 place (i.e., in situ or direct measurements), or some representative portion of the M&E can be 862 removed for analysis in a different location (i.e., sampling). 863 5.9.1.1 Scanning Techniques 864 Scanning techniques generally consist of moving portable radiation detectors at a specified 865 distance above the physical surface of a survey unit at some specified speed to meet the MOOs. 866 Alternatively, the M&E can be moved past a stationary instrument at a specified distance and 867 speed (e.g., conveyorized systems or certain portal monitors). Scanning techniques can be used 868 alone to demonstrate compliance with a disposition criterion (i.e., scan-only surveys, Section 869 4.4.1), or combined with sampling in a MARSSIM-type survey design (see Section 4.4.3). 870 Scanning is used in MARSSIM-type surveys to locate radiation anomalies by searching for 871 variations in readings, indicating gross radioactivity levels that may require further investigation 872 or action. Scanning techniques can more readily provide thorough coverage of a given survey 873 unit and are often relatively quick and inexpensive to perform. Scanning often represents the 874 simplest and most practical approach for performing MARSAME disposition surveys. 875 Maintaining the specified distance and speed during scanning can be difficult, especially with 876 hand-held instruments and irregularly shaped M&E. Variations in source-to-detector distance 877 and scan speed can result in increased total measurement method uncertainty. Determining a 878 calibration function for situations other than surficial radionuclides uniformly distributed on a

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plane can be complicated, and may also contribute to the total measurement method uncertainty.

#### 5.9.1.2 In Situ Measurements

In situ measurements are taken by placing the instrument in a fixed position at a specified distance<sup>6</sup> from the surface of a given survey unit of M&E and taking a discrete measurement for a pre-determined time interval. Single in situ measurements can be performed on individual objects or groups of M&E. Multiple in situ measurements can be combined to provide several different views of the same object, or used to provide measurements for a specified fraction of the M&E. In situ measurements can also be performed at random or systematic locations, combined with scanning measurements, in a MARSSIM-type survey design. In situ measurements are generally used to provide an estimate of the average radionuclide concentration or level of radioactivity over a certain area or volume defined by the calibration function.

Determining a calibration function for situations other than radionuclides uniformly distributed on a plane or through a regularly shaped volume (e.g., a disk or cylinder) can be complicated, and may contribute to the total measurement method uncertainty. In situ techniques are not typically used to identify small areas or volumes of elevated radionuclide concentration or activity.

### 5.9.1.3 Sampling

Sampling consists of removing a portion of the M&E for separate analysis. This measurement technique surpasses the detection capabilities of measurement techniques that may be implemented with the M&E left in place, enabling the analysis of complicated radioisotope mixtures, difficult-to-measure radionuclides, and extremely low concentrations of residual radioactivity. Sampling is used to provide an estimate of the average radionuclide concentration or level of radioactivity for a specified area or volume. The sample locations may be located using a random or systematic grid, depending on the objectives of the survey. Sampling is

<sup>&</sup>lt;sup>6</sup> Measurements at several distances may be needed. Near-surface or surface measurements provide the best indication of the size of the area of elevated radionuclide concentrations or radioactivity, and are useful for model implementation. Gamma measurements at one meter provide a good estimate of potential direct external exposure (MARSSIM 2002).

904 905	typically combined with scanning in a MARSSIM-type survey design, where sampling is used to evaluate the average concentration or activity and scanning is used to identify small areas or
906 907	volumes with elevated radionuclide concentrations or radioactivity. Sampling may also be used to validate data collected using other measurement techniques.
908	Sampling (combined with laboratory analysis) typically requires the most time for data
909	generation of all the surveying techniques discussed in this chapter and is often the most
910	expensive. Sampling is not an effective technique for identifying small areas or volumes of
911	elevated radionuclide concentrations or levels of radioactivity.
912	5.9.2 Select Instrumentation
913	This section briefly describes the typical types of instrumentation that may be used to conduct
914	MARSAME disposition surveys. More detailed information relevant to each type of instrument
915	and measurement method is provided in Appendix D.
916	5.9.2.1 Hand-Held Instruments
917	Hand-held instruments are typically composed of a detection probe (utilizing a single detector)
918	and an electronic instrument to provide power to the detector and to interpret data from the
919	detector to provide a measurement display. They may be used to perform scanning surveys or in
920	situ measurements. Hand-held measurements also allow the user the flexibility to constantly
921	vary the source-to-detector geometry for obtaining data from difficult-to-measure areas.
921 922	vary the source-to-detector geometry for obtaining data from difficult-to-measure areas. 5.9.2.2 Volumetric Counters (Drum, Box, Barrel, $4\pi$ Counters)
922	5.9.2.2 Volumetric Counters (Drum, Box, Barrel, 4π Counters)
922 923	5.9.2.2 Volumetric Counters (Drum, Box, Barrel, $4\pi$ Counters)  Box counting systems typically consist of a counting chamber, an array of detectors configured
922 923 924	5.9.2.2 Volumetric Counters (Drum, Box, Barrel, $4\pi$ Counters)  Box counting systems typically consist of a counting chamber, an array of detectors configured to provide $4\pi$ counting geometry, and microprocessor-controlled electronics that allow
922 923 924 925	5.9.2.2 Volumetric Counters (Drum, Box, Barrel, $4\pi$ Counters)  Box counting systems typically consist of a counting chamber, an array of detectors configured to provide $4\pi$ counting geometry, and microprocessor-controlled electronics that allow programming of system parameters and data-logging. Volumetric counters are used to perform
922 923 924 925 926	5.9.2.2 Volumetric Counters (Drum, Box, Barrel, $4\pi$ Counters)  Box counting systems typically consist of a counting chamber, an array of detectors configured to provide $4\pi$ counting geometry, and microprocessor-controlled electronics that allow programming of system parameters and data-logging. Volumetric counters are used to perform in situ measurements on entire pieces of small M&E.

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detector array on a conveyor belt. Conveyorized survey monitoring systems may be utilized to

931 take in situ measurements by halting the conveyor and continuing the measurement to improve 932 the detection efficiency. 933 5.9.2.4 In Situ Gamma Spectroscopy 934 Some in situ gamma spectroscopy (ISGS) systems consist of a small hand-held unit that 935 incorporates the detector and counting electronics into a single package. Other ISGS systems 936 consist of a semiconductor detector, a cryostat, a multi-channel analyzer (MCA) electronics 937 package that provides amplification and analysis of the energy pulse heights, and a computer 938 system for data collection and analysis. ISGS systems are typically applied to perform in situ 939 measurements, but they may be incorporated into innovative detection equipment set-ups to 940 perform scanning surveys. 941 5.9.2.5 Portal Monitors 942 Portal monitors utilize a fixed detector array through which M&E are passed to typically perform 943 scanning surveys (objects may also remain stationary within the detector array to perform in situ measurements). Portal monitors are typically used to perform scanning surveys of vehicles.<sup>7</sup> In 944 945 situ measurements may be utilized with portal monitors by taking motionless measurements to 946 improve the detection efficiency. 947 5.9.2.6 Laboratory Analysis 948 Laboratory analysis consists of analyzing a portion or sample of the M&E. The laboratory will 949 generally have recommendations or requirements concerning the amount and types of samples 950 that can be analyzed for radionuclides or radiations. Communications should be established 951 between the field team collecting the samples and the laboratory analyzing the samples. More 952 information on sampling is provided in Section 5.9.1.3. Laboratory analyses can be developed 953 for any radionuclide with any material, given sufficient resources. Laboratory analyses typically

require more time to complete than field analyses. The laboratory may be located onsite or

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<sup>&</sup>lt;sup>7</sup> Specialized vehicle monitors are available that monitor rates of change in ambient background to account for differences in vehicles being scanned to improve measurement detectability.

offsite. The quality of laboratory data is typically greater than data collected in the field because the laboratory is better able to control sources of measurement method uncertainty. The planning team should consider the resources available for laboratory analysis (e.g., time, money), the sample collection requirements or recommendations, and the requirements for data quality (e.g., MDC, MQC) during discussions with the laboratory.

### **5.9.3** Select a Measurement Method

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Table 5.3 and Table 5.4 illustrate the potential applications and associated size restrictions for combinations of the instrument and measurement techniques discussed in Sections 5.9.1 and 5.9.2, respectively. Sampling followed by laboratory analysis is not included in these tables, but is considered "GOOD" for all applications. Please note the following qualifiers:

GOOD The measurement technique is well-suited for performing this application

FAIR The measurement technique can adequately perform this application

POOR The measurement technique is poorly-suited for performing this application

NA The measurement technique cannot perform this application

Table 5.3 illustrates that most measurement techniques can be applied to almost any M&E and type of radioactivity. The quantity of M&E to be surveyed becomes a major factor for the selection of measurement instruments and techniques described in this chapter. Hand-held measurements and techniques are generally the most efficient technique for surveying small quantities of M&E.

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### Table 5.3 Potential Applications for Instrumentation and Measurement Technique Combinations

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					Conveyorized Survey
Radiation Type	Hand-Held Instruments	Volumetric Counters	Portal Monitors	In Situ Gamma Spectroscopy	Monitoring Systems
		In Situ Me	easurements		2500000
Alpha	FAIR	FAIR	POOR	NA	FAIR
Beta	GOOD	FAIR	FAIR	NA	GOOD
Photon	GOOD	GOOD	GOOD	GOOD	GOOD
Neutron	GOOD	FAIR	GOOD	NA	GOOD
	Scanning Surveys				
Alpha	POOR	NA	POOR	NA	POOR
Beta	GOOD	NA	FAIR	NA	FAIR
Photon	GOOD	NA	GOOD	GOOD	GOOD
Neutron	FAIR	NA	FAIR	NA	FAIR

Table 5.4 Survey Unit Size and Quantity Restrictions for Instrumentation and Measurement Technique Combinations

Size of	Number of Survey Units or	Hand-Held	Volumetric	Portal	In Situ Gamma	Conveyorized Survey Monitoring
Items	Items	Instruments	Counters	Monitors	Spectroscopy	Systems
		Iı	n Situ Measure	ements		
$> 10 \text{ m}^3$	Few	GOOD	NA	FAIR	GOOD	POOR
/ 10 III	Many	POOR	NA	FAIR	GOOD	POOR
1 to 10	Few	GOOD	FAIR	FAIR	GOOD	FAIR
$m^3$	Many	POOR	FAIR	FAIR	GOOD	FAIR
$< 1 \text{ m}^3$	Few	GOOD	GOOD	POOR	GOOD	GOOD
< 1 m	Many	FAIR	GOOD	POOR	GOOD	GOOD
			Scanning Sur	veys		
$> 10 \text{ m}^3$	Few	GOOD	NA	GOOD	FAIR	POOR
/ 10 III	Many	FAIR	NA	GOOD	FAIR	POOR
1 to 10	Few	GOOD	NA	FAIR	FAIR	FAIR
$m^3$	Many	FAIR	NA	FAIR	FAIR	FAIR
$< 1 \text{ m}^3$	Few	GOOD	NA	POOR	FAIR	GOOD
< 1 m	Many	GOOD	NA	POOR	FAIR	GOOD

Facilities that conduct routine surveys on substantial quantities of specific types of M&E may benefit financially from investing in measurement instruments and techniques that require less manual labor to conduct disposition surveys. For example, it will require significantly more time for a health physics technician to survey a toolbox of tools and equipment used in a radiologically-controlled area using hand-held surveying techniques and instruments than the time to complete the surveying using a box counting system. Use of such automated systems will also reduce the potential for ergonomic injuries, and attendant costs, associated with routine, repetitive surveys performed using hand-held instruments. Hand-held surveying remains the more economical choice for a small quantity of tools and toolboxes, but as the quantity of tools and toolboxes increases, the cost of a box counting system becomes an increasingly worthwhile investment to reduce manual labor costs associated with surveying. Note that some M&E have no survey design options that are described as "GOOD" in these two tables (e.g., a large quantity of M&E impacted with residual alpha radioactivity with survey unit sizes greater than 10 m<sup>3</sup>). The planning team should revisit earlier DOO selections to see if a different approach is more acceptable (e.g., review selection of disposition options in Section 2.4). Each type of measurement technique has associated advantages and disadvantages, some of which are summarized in Table 5.5. All the measurement techniques described in this table include sourceto-detector geometry and spatial variability as common disadvantages.

### **5.10 Quality Control**

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The purpose of QC is to ensure that measurement and other data-producing systems operate within defined performance limits as specified in planning. QC programs can lower the chances of making an incorrect decision and help the decision maker understand the level of uncertainty that surrounds the decision. QC operations help identify where errors are occurring, what the magnitude of that error is, and how that error might impact the decision-making process.

This section discusses QC in the context of implementation. Information is provided on

measurement performance indicators as well as instrument performance indicators. Evaluation of QC data is discussed in Section 6.2.2.1.

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## Table 5.5 Advantages and Disadvantages of Instrumentation and Measurement Technique Combinations

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Instrument	Measurement Technique	Advantages	Disadvantages
Hand-Held Instruments	In Situ	<ul> <li>Generally allows flexibility in media to be measured</li> <li>Detection equipment is usually portable</li> <li>Detectors are available to efficiently measure alpha, beta, gamma, x-ray, and neutron radiation</li> <li>Generally acceptable for performing measurements in difficult-to-measure areas</li> <li>Measurement equipment is relatively low cost</li> <li>May provide a good option for small quantities of M&amp;E</li> </ul>	<ul> <li>Requires a relatively large amount of manual labor as a surveying technique; may make surveying large quantities of M&amp;E labor-intensive</li> <li>Detector windows may be fragile</li> <li>Most do not provide nuclide identification</li> </ul>
Hand-Held Instruments	Scanning	<ul> <li>Generally allows flexibility in media to be measured</li> <li>Detection equipment is usually portable</li> <li>Detectors are available to efficiently measure beta, gamma, x-ray, and neutron radiation</li> <li>Generally good for performing measurements in difficult-to-measure areas</li> <li>Measurement equipment is relatively low cost</li> <li>May provide a good option for small quantities of M&amp;E</li> </ul>	<ul> <li>Requires a relatively large amount of manual labor as a surveying technique; may make surveying large quantities of M&amp;E labor-intensive</li> <li>Detector windows may be fragile</li> <li>Most do not provide nuclide identification</li> <li>Incorporates more potential sources of uncertainty than most instrument and measurement technique combinations</li> <li>Potential ergonomic injuries and attendant costs associated with repetitive surveys.</li> </ul>

# Table 5.5 Advantages and Disadvantages of Instrumentation and Measurement Technique Combinations (continued)

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Instrument	Measurement Technique	Advantages	Disadvantages
Volumetric Counters	Sampling	<ul> <li>Able to measure small items</li> <li>Designs are available to efficiently measure gamma, x-ray, and alpha radiation</li> <li>Requires relatively small amount of labor</li> <li>May be cost-effective for measuring large quantities of M&amp;E</li> </ul>	<ul> <li>May not be suited for measuring radioactivity in difficult-to-measure areas</li> <li>Size of instrumentation may discourage portability</li> </ul>
Portal Monitors	In situ	<ul> <li>Able to measure large objects</li> <li>Designs are available to efficiently measure gamma, x-ray, and neutron radiation</li> <li>Requires relatively small amount of labor</li> <li>May be cost-effective for measuring large quantities of M&amp;E</li> </ul>	<ul> <li>Not ideal for measuring alpha or beta radioactivity</li> <li>May not be ideal for measuring radioactivity in difficult-to-measure areas</li> <li>Size of detection equipment may discourage portability</li> </ul>
Portal Monitors	Scanning	<ul> <li>Able to measure large objects</li> <li>Efficient designs available for gammas, X-rays, and neutron radiation</li> <li>Residence times are generally short</li> <li>May not require objects to remain stationary during counting</li> <li>Requires relatively small amount of labor</li> <li>May be cost-effective for measuring large quantities of M&amp;E</li> </ul>	<ul> <li>Not ideal for measuring alpha or beta radioactivity</li> <li>Source geometry is an important consideration</li> <li>May not be ideal for measuring radioactivity in difficult-to-measure areas</li> <li>Size of detection equipment may discourage portability</li> </ul>
In Situ Gamma Spectroscopy (ISGS)	In situ	<ul> <li>Provides quantitative measurements with flexible calibration</li> <li>Generally requires a moderate amount of labor</li> <li>May be cost-effective for measuring large quantities of M&amp;E</li> </ul>	<ul> <li>Instrumentation may be expensive and difficult to set up and maintain</li> <li>May require liquid nitrogen supply (with ISGS semiconductor systems)</li> <li>Size of detection equipment may discourage portability</li> </ul>

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# Table 5.5 Advantages and Disadvantages of Instrumentation and Measurement Technique Combinations (continued)

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Instrument	Measurement Technique	Advantages	Disadvantages
In Situ Gamma Spectroscopy (ISGS)	Scanning	<ul> <li>Provides quantitative measurements with flexible calibration</li> <li>Generally requires a moderate amount of labor</li> <li>May be cost-effective for measuring large quantities of M&amp;E</li> </ul>	<ul> <li>Instrumentation may be expensive and difficult to set up and maintain</li> <li>May require liquid nitrogen supply (with ISGS semiconductor systems)</li> <li>Size of detection equipment may discourage portability</li> </ul>
Conveyorized Survey Monitoring Systems	In situ	<ul> <li>Requires relatively small amount of labor after initial set up</li> <li>May be cost-effective for measuring large quantities of M&amp;E</li> </ul>	<ul> <li>Instrumentation may be expensive and difficult to set up and maintain</li> <li>May not be ideal for assessing radioactivity in difficult-to-measure areas</li> <li>Size of detection equipment may discourage portability</li> <li>Typically does not provide nuclide identification</li> </ul>
Conveyorized Survey Monitoring Systems	Scanning	<ul> <li>Requires relatively small amount of labor after initial set up</li> <li>May be cost-effective for measuring large quantities of M&amp;E</li> </ul>	<ul> <li>Instrumentation may be expensive and difficult to set up and maintain</li> <li>May not be ideal for assessing radioactivity in difficult-to-measure areas</li> <li>Size of detection equipment may discourage portability</li> <li>Typically does not provide nuclide identification</li> </ul>

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Table 5.5 Advantages and Disadvantages of Instrumentation and Measurement Technique Combinations (continued)

Instrument	Measurement Technique	Advantages	Disadvantages
Laboratory Analysis	Sampling	<ul> <li>Generally provides the lowest MDCs and MQCs, even for difficult- to-measure radionuclides</li> <li>Allows positive identification of radionuclides without gammas</li> </ul>	<ul> <li>Most costly and time-consuming measurement technique</li> <li>May incur increased overhead costs while personnel are waiting for analytical results</li> <li>Great care must be taken to ensure samples are representative</li> <li>Detector windows may be fragile</li> </ul>

### **5.10.1** Measurement Performance Indicators

Measurement performance indicators are used to evaluate the performance of the measurement method. These indicators describe how the measurement method is performing to ensure the survey results are of sufficient quality to meet the survey objectives.

### 5.10.1.1 Blanks

Blanks are measurements of materials with little or no radioactivity and none of the radionuclide(s) of concern present. Blanks are performed to determine whether the measurement process introduces any increase in count rate that could impact the measurement method detection capability. Blanks should be representative of all measurements performed using a specific method (i.e., combination of instrumentation and measurement technique). When practical, the blank should consist of the same or equivalent material(s) as the M&E being surveyed.

Blanks are typically performed before and after a series of measurements to demonstrate the measurement method was performing adequately throughout the survey. At a minimum, blanks should be performed at the beginning and end of each shift. When large quantities of data are collected (e.g., scanning measurements) or there is an increased potential for radionuclide contamination of the instrument (e.g., removable or airborne radionuclides), blanks may be

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1026	performed more frequently. In general, a blank should be collected whenever enough
1027	measurements have been performed such that it is not practical to repeat those measurements if a
1028	problem is identified.
1029	A sudden change in a blank result indicates a condition requiring immediate attention. Sudden
1030	changes are caused by the introduction of a radionuclide, a change in ambient background, or
1031	instrument instability. Gradual changes in blank values indicate a need to inspect all survey
1032	areas for sources of radionuclides or radioactivity. Gradual build up of removable radionuclides
1033	over time or instrument drift and deterioration can result in slowly increasing blank values. High
1034	variability in blank values can result from instrument instability or improper classification (i.e.,
1035	high activity and low activity M&E combined into a single survey unit. It is important to correct
1036	any problems with blanks to ensure measurement detectability (see Section 5.7) is not
1037	compromised.
1038	5.10.1.2 Replicate Measurements
1039	Replicate measurements are two or more measurements performed on the same M&E.
1040	Replicates are performed primarily to provide an estimate of precision for the measurement
1041	method. The reproducibility of measurement results should be evaluated by replicates to
1042	establish this component of measurement uncertainty (see Section 5.6).
1043	Replicates are typically performed at specified intervals during a survey (e.g., 5% of all
1044	measurements or once per day). Replicates should be used to evaluate each batch of data used to
1045	support a disposition decision (e.g., one replicate per survey unit). For single measurement
1046	surveys or scan-only surveys where decisions are made based on every measurement, typically
1047	5% of all measurements are replicated.
1048	Precision exhibits a range of values and depends in part on the material being measured and the
1049	activity level. Small changes in precision are expected, and the acceptable range of variability
1050	should be established prior to initiating data collection activities. The main causes for lack of
1051	precision include problems with repeating measurements on irregularly shaped M&E, the
1052	material being measured, counting statistics when the activity levels are low, and instrument
1053	contamination.

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1054	5.10.1.3 Spikes, Standards, and Certified Reference Materials
1055	Spikes, standards, and certified reference materials are materials with known composition and
1056	known radionuclide content. Materials with known radionuclide concentrations are used to
1057	evaluate bias in the measurement method. It is unlikely that certified reference materials will be
1058	available for most field applications.
1059	Measurements of materials with known radionuclide concentrations are typically performed at
1060	specified intervals during a survey (e.g., 5% of all measurements or once per day). At a
1061	minimum, these measurements should be used to evaluate each batch of data used to support a
1062	disposition decision (i.e., at least one spike or standard per survey unit).
1063	M&E cover a broad range of physical forms and materials that can change a measurement
1064	method's expected bias. Tracking results of measurements with known activity can provide an
1065	indication of the magnitude of bias. However, M&E can be very complex and subject to large
1066	variability, so care should be taken in interpreting these results. The activity level associated
1067	with the standards should be considered. In general, activity levels close to the action levels (or
1068	discrimination limits) will provide adequate information on the performance of the measurement
1069	system.
1070	5.10.2 Instrument Performance Indicators
1071	Instrument performance indicators provide information on how an instrument is performing.
1072	Evaluation of these indicators provides information on the operation of the instruments.
1073	5.10.2.1 Performance Tests
1074	Performance tests should be performed periodically and after maintenance to ensure that the
1075	instruments continue to meet performance requirements for measurements. An example of a
1076	performance test is a test for response time. Performance requirements should be met as
1077	specified in the applicable sections of ANSI N323A (ANSI 1997), ANSI N42.17A 9ANSI
1078	2003b), and ANSI N42.17C (ANSI 1989). These tests may be conducted as part of the
1079	calibration procedure.

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1080 5.10.2.2 Functional Tests 1081 Functional tests should be performed prior to initial use of an instrument. These functional tests 1082 should include. • General condition 1083 1084 • Battery condition 1085 • Verification of current calibration (i.e., check to see that the date due for calibration has 1086 not passed) 1087 Source and background response checks (and other tests as applicable to the instrument) 1088 Constancy check 1089 The effects of environmental conditions (temperature, humidity, etc.) and interfering radiation on 1090 an instrument should be established prior to use. The performance of functional tests should be 1091 appropriately documented. This may be as simple as a checklist on a survey sheet, or may 1092 include more detailed statistical evaluation such as a chi-square test. 1093 5.10.2.3 Instrument Background 1094 All radiation detection instruments have a background response, even in the absence of a sample 1095 or radiation source (see Section 3.4.2). Inappropriate background correction will result in 1096 measurement error and increase the uncertainty of data interpretation. 1097 5.10.2.4 Efficiency Calibrations 1098 Detector efficiency is critical for converting the instrument response to activity (MARSAME 1099 Section 6.4, MARSSIM Section 6.5.4, MARLAP Chapter 16). Routine performance checks may 1100 be used to demonstrate the system's operational parameters are within acceptable limits, and 1101 these measurements are typically included in the assessment of bias. The system's operational 1102 parameters may be tracked using control charts. 1103 5.10.2.5 Energy Calibrations (Spectrometry Systems)

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Spectrometry systems identify radionuclides based on the energy of the detected radiations. A

correct energy calibration is critical to accurately identify radionuclides. An incorrect energy

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1106 calibration may result in misidentification of peaks, or failure to identify radionuclides present in 1107 the M&E being investigated. 1108 5.10.2.6 Peak Resolution and Tailing (Spectrometry Systems) 1109 The shape of the full energy peak is important for identifying radionuclides and quantifying their 1110 activity with spectrometry systems. Poor peak resolution and peak tailing may result in larger 1111 measurement uncertainty, or in failure to identify the presence of peaks based on shape. 1112 Consistent problems with peak resolution indicate the presence of an analytical bias. 1113 5.10.2.7 Voltage Plateaus (Gas Proportional Systems) 1114 The accuracy of results using a gas proportional system can be affected if the system is not 1115 operated with its detector high voltage adjusted such that it is on a stable portion of the operating 1116 plateau. 1117 5.10.2.8 Self Absorption, Backscatter, and Crosstalk 1118 Alpha and beta measurement results can be affected by the M&E through self-absorption and 1119 backscatter. Measurement systems simultaneously detecting alpha and beta particles using an 1120 electronic discriminator (e.g., gas flow proportional detectors) can be affected by crosstalk (i.e., 1121 identification of alpha particles as beta particles and vice versa). Accurate differentiation 1122 between alpha and beta activity depends on the assessment and maintenance of information on 1123 self-absorption and crosstalk. **5.11 Report the Results** 1124 1125 Once the instruments have been checked to ensure proper operation, the data should be collected 1126 in a manner consistent with the survey design. Any field changes and deviations from survey 1127 design should be documented and described in sufficient detail to enable an independent re-1128 creation and evaluation at some future time. 1129 The reported measurements should comprise raw data that includes background radioactivity 1130 (i.e., gross measurement data). Electronic instruments with data logging capabilities should be 1131 used when applicable. Electronic data should be exported and backed up periodically to 1132

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minimize the chance of losing data and the need for re-surveying.

1133	Use of a measurement identification system should be considered. If required by the objectives
1134	of the survey, the identification system should be developed and used such that each
1135	measurement is assigned and labeled with a unique (preferably sequential) identifying number,
1136	the collection date and time, the measurement location, and any applicable comments.
1137	While MARSAME does not make specific recommendations with regard to approved media
1138	formats for storing documentation, some users of MARSAME (e.g., private industry nuclear
1139	power plants) may be required to retain documentation in media formats prescribed by State and
1140	Federal rules of evidence. Similarly, State and Federal rules of evidence may specify retention
1141	periods for documentation that exceed internal facility requirements. Compliance with State and
1142	Federal rules of evidence is intrinsic to maintaining legally defensible records for insurance and
1143	litigation-related purposes.
1144	Documentation of the survey measurements should provide a complete and unambiguous record
1145	of the data collected. Documentation should also include descriptions of variability and other
1146	conditions pertaining to the M&E that may have affected the measurement capabilities of the
1147	survey procedure, and photographs where applicable. The documentation itself should be clear,
1148	legible, retained, retrievable, and to the level of detail required
1149	Negative results (net activity below zero) can be obtained when an instrument background is
1150	subtracted from the measurement of a low activity sample. In the case where the activity is close
1151	to zero, the measurement uncertainty will result in a distribution of results where approximately
1152	one half are less than zero and one half are greater than zero. As long as the magnitude of
1153	negative values is comparable to the estimated measurement uncertainties and there is no
1154	discernible negative bias, negative results should be accepted as legitimate estimates of
1155	radionuclide concentrations or levels of radioactivity associated with the M&E. A
1156	preponderance of negative results, even if they are close to zero may indicate a bias or systematic
1157	error.
1158	The inclusion of the information described above is important in creating comprehensive
1159	documentation to make disposition surveys technically and legally defensible. The collection of
1160	all necessary data prepares the MARSAME user to assess the results of the disposition survey,
1161	which is discussed in Chapter 6.

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